Individualized Instructional Student Plans (IISPs) for the TABE 11/12 Mathematics Test

Resources for the Adult Education Practitioner

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Individualized Instructional Student Plans (IISPs) for the TABE 11/12 Mathematics Test

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Guiding Questions

Think about the following guiding questions as you participate in today's session. Write down your thoughts and be prepared to share your ideas.

Slide(s)	Guiding Questions	My Thoughts
4-6	Think about what you want to take-away from this session.	
6	What do you know about differentiated, individualized, and personalized instruction and learning?	
7	What is the gap-closing tool that you can use to close the performance gap in your ABE classrooms?	
9	Why are the new IISPs for the TABE 11/12 Mathematics Test truly individualized?	
10	How can students track their own progress in the ABE classroom?	
10-11	What are the 8 basic components of the math IISP?	
12	How many IISPs have been developed for the math test?	
12-13	What are the steps in selecting which math IISP to assign a student?	
14	What should you do when you see a "+" sign or "-" sign after a student's scale score?	
15-16	What document will you use to transfer student data to the IISP?	
21	How should you use the IISP to individualize instruction?	
21	How can you use the IISP to personalize instruction?	
24-25	What steps will you take to successfully implement these TABE 11/12 Mathematics IISPs in your ABE classroom(s)?	

Introduction

How can a teacher use data to differentiate, individualize, and personalize instruction that engages students and leads to improved learning outcomes and increased student performance? There is no simple answer to this question; but in this *Resource Handbook*, we will unveil the new TABE 11/12 Individualized Instructional Student Plan (IISP) for mathematics, a document that serves to identify student learning gaps based on pre-test data as well as prepare students to master content that is targeted in post-testing.

Before diving into these new IISPs, it is strongly recommended that you view the recorded webinar titled the same as this Resource Handbook: *Individualized Instructional Student Plans for the TABE 11/12 Mathematics Tests*. The webinar, like this Resource Handbook, is broken down into three parts: (1) Differentiate, Individualize, and Personalize Instruction which addresses how we can move from a more teacher-centered type of instruction to a more learner-centered one that empowers the learner by engaging him in self-reflection and self-assessment; (2) The New TABE 11/12 Individualized Instructional Student Plan (IISP) which gives the reader a basic understanding of how the plan was created along with a brief explanation of its components and how best to use the plan in order to move your student data in a positive direction; and (3) Conclusion and Reflection which ends with a call to action in making the shift to move the focus of your classroom from teaching to learning by emphasizing how your students can become responsible owners of their learning and instructional progress as they advance from one functional level to the next.

As we journey through this *Resource Handbook*, I want to emphasize and urge you keep foremost in your mind that one of the key goals for using an IISP is for the student to become a self-directed, expert learner who monitors progress and reflects on learning based on mastery of content and skills. We want to move from a teacher-centric instructional environment where there is little student choice and voice to a more student-centric one where there is more student choice and voice. You will immediately see how this is encouraged as a standard application of the IISP for the TABE 11/12 Mathematics Test.

Part 1: Differentiate, Individualize, and Personalize Instruction

Let us briefly address three buzz words in education before we dive into the new IISPs. These words are *differentiate*, *individualize*, and *personalize*; and they are important because they will help you to identify ways in which you can use these IISPs to address multiple types of instruction, regardless of your preference or which side of research you choose to support. The bottom line is that learning is a great motivator if your students can see that they have mastered a standard or competency and acquired a new skill. All three of these instruction types lend themselves to reaching this goal, and the new IISPs can be used to target non-mastered content so that minimal time is wasted, and students can build on this sense of achievement. We will address each of these individually; but first, take a moment to look at the diagram below.



We begin with differentiated instruction. Differentiated instruction lends itself to small group settings. Usually, the teacher will identify non-mastered content and skills and group students based on common deficiencies. Lessons are designed around the needs of each group, so it is important to select or develop activities that specifically address non-mastered content within each group. These groups are not static, meaning students are not always assigned to the same group. We will label this type of instruction as "the how."

As we move to individualized instruction, we begin to focus on the learning needs of each individual student. The academic goals pretty much remain the same for the course; however, individual students may progress through the curriculum at different speeds based on their learning needs. The teacher will target one need at a time and skip over content that the student has already mastered. Instruction is calibrated to meet the pace of the student. You will see when we begin to explore these new IISPs how each plan is created to emphasize what is tested at each TABE level (E, M, D, and A). You will also see how the IISP allows you to incorporate individual student performance data from the student's TABE Individual Profile Report so that you can specifically target standards and skills which that student has not yet mastered. As you review the IISP with the student, he will learn to focus on what has not been mastered and skip mastered content. We will label this type of instruction as "the when."

Finally, let me briefly address personalized learning. This term actually dates back to the early 1960s or so; however, there really isn't any widespread agreement on a definition for the term. It has, however, become more popular since the RAND Corporation in partnership with the Bill & Melinda Gates Foundation began researching personalized learning and its impact on education. What I want to bring across in this training, nonetheless, is that the IISPs can be used to personalize instruction for individual students should you choose to do so. The easiest way to initiate this would be for the teacher to select the learning activities based on student interests. This type of instruction combines both "the how" and "the when" and adds student participation in the selection and creation of learning activities.

Part 2: The New TABE 11/12 Mathematics IISP

In simple terms, we know that what educators want is to identify and successfully implement gap-closing tools, etc. that lead to results. The tool we are addressing here is the new IISP for TABE 11/12 math students, and we are finally at that point where we are ready to unveil *the* tool that is going to close the performance gap in your ABE math classrooms.

As we unveil the tool, we will address four basic steps that will lead to the successful implementation of these plans in your ABE math class.

In subsequent pages, we will address each of these steps in detail; however, we will begin with an overview.

STEP 1 Understand the IISP and its components.

First, as with any test, it is crucial to know the structure of the test as well as what is tested. These new IISPs were created to address both these topics. As we look at the plan and how it is structured, I will walk you through its different components and explain how they address each section of the test.

STEP 2 Select the right IISP for every student.

Each subject area tested has 4 different test levels. For example, the math subject area test has 4 test levels: E, M, D, and A. It would not have sufficed to have a generic plan to address all test levels, so we created a specific IISP for each test level which totals 4 IISPs per subject area. If we look at the total picture, this means that there are 4 IISPs for language, 4 for reading, and 4 for math. In this training we are just focusing on the math, but how do you know which of the 4 plans to use? How do you know on which test level each of your students will post-test? This will be addressed in Step 2.



STEP 3 Use student data to develop a true IISP.

Third, an IISP doesn't really become individualized until it is tailored to fit a student's learning needs. This being said, we must learn to transfer student test data onto the IISP in order to individualize it. In Step 3, we will look at transferring student data from the TABE student's Individual Profile Report to the reading IISP in order to identify non-mastered content for targeted instruction.



Use the IISP to differentiate, individualize, and personalize instruction

Finally, we began this training with three action words: differentiate, individualize, and personalize. In step 4, I will show you how you can use the data on the IISPs to address these three types of instruction.

Let's keep moving, and let's take a closer look at each step!

STEP 1

What impacts your enrollment? look!

A closer

This is Step 1 to success! If you want your students to do well on the TABE 11/12 Mathematics Test, it's not enough to just provide good instruction. It is essential that you and your students know as much as possible about this test. You need to know what topic areas are tested, how many questions under each domain area, what question types are included. You need to be able to connect classroom lessons and activities directly to tested content. These new math IISPs map out each level of the test. They help you and your students focus on content that has not been mastered and also allow you to track progress over time to identify if and when a student has mastered a sufficient amount of tested content in order to be successful when post-testing.

In Part I, we addressed that differentiated, individualized, and personalized instruction were all taken into consideration during the development of these plans. We have been emphasizing for some time now that these plans will take the guesswork out of teaching. Why? Because they truly are individualized. We *know* they are individualized because they don't emphasize content that was pretested. They are different from the student's Individual Profile Report in that the Individual Profile Report only tells you how the student performed on his pre-test. It does not tell you what content is going to be post-tested. The IISPs actually identify the content which students must master at each level to support success when post-testing.

Now, let us talk about "personalization." With these plans, students must "own" their learning. Because they know exactly how their post-test is structured as well as the content that is tested, they can track their progress with guidance from their teachers. In this "personalized" type of instruction, students become experts who monitor progress and reflect on learning based on mastery of tested content.

It is now time to explore each plan component in detail!

	ipdae	INSTITUTE FOR THE F DEVELOPMENT OF	PROFESSIONAL ADULT EDUCATOR:	S								
0	0-	INDIVIDUALIZED INSTRUCTIONAL STUDENT PLAN ABE Mathematics: TABE Level M										
	STUDENT: TEACHER:		COUR	SE:		L DAT	.D.: E:					
€-	CURRENT TESTIN Test Dat Current Test Leve Current Test Forr NRS Level & Scale Scor	G INFORMATION: :e: el: □E □M m: □11 □12 :e: □2 (449-495) □:	3 (496-536)	POS	T-TESTING TAB CC ade Level Corr	INFORMA E Level: M R Level: C relation: 4-5,	TION: , +6	4				
6-	DOMAIN: Nu CATEGORY: Nu # Questions: 5	mber & Operations mber & Operations in	s in Base Ten Base Ten (NBT)	(15%) SCORE	D PROFICIEN	NCY: N P P	lon-Proficie artial Profic roficiency	iency				
0-	CCRS Category Generalize Place	TABE Category	 Recognize that in one place repre 	TABE Skill in a multi-digit whole nu sents ten times what it re	mber, a digit epresents in	Emphasis Medium	Aligned CCRS 4.NBT.1	Mastery Date				

At the top where you have Section #1 with the arrow pointing right, you have the name and level of the IISP. This student plan is the IISP for Mathematics for the Level M TABE 11/12 test. But what does this mean exactly? The significance is that this plan corresponds to the student's post-test, not his pre-test. For example, because this is a Level M plan, this means that the student will be post-testing on a Level M math test. Understanding this is critical because we are preparing students for their post-tests.

Here is an example. Say that you have a student who pre-tested on the Mathematics Level E test. You know that the student will be post-testing on the Level M test, so the student's IISP should be the one for the Level M test.

Section #2, located under the title of the IISP, is the section for you to input basic student, teacher, and course information.

Under that you have Section #3 "Current Testing Information" on the left and Section #4 "Post-testing Information" on the right. Section #3 "Current Testing Information" refers to the student's pre-test information. Here, you will write the date that the student took the pretest; the level; the test form; and finally, the corresponding NRS Level Score with the correlated scale score range. You input the information in this section based on the student's Individualized Profile Report, but do not worry about that yet. In the next section I will show you how to select the correct post-test form and level along with how to transfer a student's pre-test information to his IISP. For now, let us just look at the structure and content of the math IISP.

Under Section #4, "Post-testing Information", you have the TABE level at which the student will be post-testing. You can also see the correlated college & career readiness level, "C" in this example, along with the grade-level correlation for the Level M math test. This information is critical when selecting instructional resources and activities because you want to be sure to provide students with content that mirrors what they will encounter on their post-tests.

Section #5 identifies the Domain followed by a % in parentheses. The % indicates how much of the test addresses this particular domain. In this example, 15% of the test is dedicated to questions regarding Number and Operations in Base Ten. Right under the domain you have the CCRS Category or Categories. This domain encompasses one CCRS category with the same name (Number & Operations in Base Ten (NBT). You will soon understand the significance of these categories when we look at the aligned CCRS standards in the next couple of slides. Right under the category you have the number of questions pertaining to this particular domain.

Section #6 is to the right of Section #5. Here, in Section #6, you can mark how well the student performed on his pretest on this identified section of the test.

Section #7 is the table header that identifies the CCRS Category, TABE Category, and TABE Skill. The TABE Category and TABE Skill are found on the student's Individual Profile Report. The columns titled Emphasis and Aligned CCRS contain information from the TABE 11/12 Blue Prints as well as the TABE 11/12 Cross Walks for math. The emphasis can be labeled High, Medium, or Low. The Aligned CCRS will give you a specific reference number to the correlated CCR standard so that you can obtain a more detailed description of the standard or substandard should you desire one. And finally, the last title in the header reads "Mastery Date." Here, a teacher or student can write the mastery date for each specific standard and substandard. This column is a critical column because if updated in a timely manner, it will provide an easy at-a-glance view of content that has already been mastered. It helps keep individual student data "live".

It is important to note that Sections 5 through 7 repeat in format for every domain tested. There may be a slight variation from one TABE level to the next; however, for the most part, you will see that this information is standardized throughout all 4 levels.



Before we move to Step 2, let's explain the "+" plus signs and the N/As.

- As we have indicated in prior webinar trainings on the TABE 11/12 tests, we have identified some discrepancies between the Blueprints, the CCR Standards, the new TABE Cross Walks, and the student's Individual Profile Reports.
- When you see a "+" sign in front of the TABE skill, this means that the topic appears on the TABE Blue Print for that subject area and test level; however, it never appears on any of the student's Individual Profile Reports for the same subject area and test level. It may also indicate that the skill appears on the new TABE 11/12 Skills Crosswalk for Math but is excluded from the Individual Profile Reports. To eliminate the possibility of excluding content that is possibly tested, we have added that particular skill to the document.
- You may also encounter a similar situation where you may see "N/A". If you see an "N/A" on the IISP, this means that this particular skill is found on the student's Individual Profile Report; however, it is not listed on the TABE 11/12 Blue Print. Because it doesn't appear on the Blue Print, the emphasis is not available either.

Finally, Section #8, the last section of the plan, can be found after the last domain chart. This section has a complete list of every aligned CCR standard on the plan and it is grouped by domain. Because the information is organized numerically, a teacher can easily locate the detailed explanation for any given CCR anchor, standard, or substandard listed under a particular domain. For example, if you are looking at "Evaluate Perimeter and Area" in the TABE subcategory on this slide, you can see that the aligned CCRS is 4.MD.3. If you want to know what 4.MD.3 stands for, look under Section 8 and scroll down until you locate the number. To the right, you will have a detailed description. You cannot see the explanation here because the document is cut off; however, we've added a box to include the full description which is, "Apply the area and perimeter formulas for rectangles in real-world and mathematical problems. For example, find the width of a rectangular room given the area of the flooring and the length, by viewing the area formula such as a multiplication equation with an unknown factor." There's also a check box in front of the substandard number that can be checked once the student masters this substandard.

I just want to bring additional emphasis to Section 8. It is quite useful to look at the provided examples included in many of the descriptions. These examples are usually real-life examples that any teacher can reproduce and apply in order to gauge mastery of a particular substandard.

Many of you are probably asking yourselves why I haven't mentioned the new Florida B.E.S.T. standards and why they haven't been included as part of the alignment in this document. Well, in the months to come, we *will* be aligning the tested TABE Categories, subcategories and skills to the new Florida B.E.S.T. standards. Once completed, you will be provided with an addendum of these B.E.S.T. alignments. This will help ensure that you address these new, required standards during instruction; however, do keep in mind that the TABE 11/12 tests were developed based on the CCR Standards. This is the main reason why the primary alignment represented in the IISPs is directly to these CCR Anchors and Substandards.

You are now ready for Step 2 to success!

STEP 2

Select the right IISP for each student.

In order to target student deficiencies in preparation for post-testing with the TABE 11/12 Reading, Mathematics, and Language tests; it is essential that the correct IISP be used in order to ensure tested content is addressed throughout instruction and assessed for mastery. Therefore, the question is, "Which IISP should I assign to a student?" Selecting the right plan does not have to be complicated. Look at the chart below.

NRS	Alternate Form	Same Form		
Level	Testing	Testing		
	i.e., 11 M to 12 M	i.e., 11 M to 11 M		
1 - 4	50 – 60 hours of instruction recommended	60 – 80 hours of		
5 - 6	39 – 59 hours of instruction recommended	recommended		

Recommended

Now that you selected the alternate form, you need to select the level at which your student will post-test.

Determining the next test level is critical! Always try to post-test a student at the lowest level possible. This has two benefits: (1) It ensures you are addressing mastery of lower-level content in order to avoid learning gaps and (2) it is easier for a student to make a functional level gain or gain a Literacy Completion Point (LCP).

Look at the snip on the following page of the reading results taken from DRC's Individual Profile Report. We have enlarged the Mathematics Test results row in order to better illustrate how we will use this data to select this student's NTA. Remember, the NTA refers to the student's Next Test Assignment. This means the form and level at which the student will be post-tested.

India D Test Repo	RECOGNITION PARATION vidual Profile vidual Profile	0			State: District School:	FL : MIAMI DA : MIAMI SUI	DE COUNTY PI NSET ADULT	UBLIC SCH		TABE.	
Test	: Results	Test Date	Level	Number	of Points Obtained	Items Attempted	Scale Score	SEM	NRS Level	MSG	
Mat	hematics uage	02/11/2020	M 	39 	16 	35	484	14	2	N	
Results	Test Date	Level	Numł	per of Poi	ints ainec. A	Items	Scal d Scor	le re	SEM	NRS Level	M
ematics	02/11/2020	M	39		16	35	484		14	2	N

Keeping this information in mind, follow the chart below. Generally speaking, based on a student's pre-test TABE Level (left column) as well as NRS Level (middle column), you will prepare the student to post-test at the identified Next Test Level (NTA) (right column). You do not need to look at the scale score range to determine this NTA level. You just need to look at the student's NRS level; and in case you're wondering, this information as seen above is available on the student's Individual Profile Report.

Pre-test	Pre-test	Suggested
TABE Level	NRS Level	NTA
	1	E
E	2	E
	3	М
	2→ 2	3→→ M
O→M	3	М
	4	D
_	3	D
D	4	D
	5	А
_	4	A
A	5	A
	6	N/A

Example:

Refer back to the example on the chart on the previous page and go over the process of selecting this student's Next Test Assignment (NTA):

- 1. The student tested on Form 12, so we are going to assign her Form 11 for the post-test.
- 2. The student pre-tested on the Level M test for Mathematics (see #1 on previous page) and scored an NRS Level 2 (See #2 on previous page).
- 3. You will assign the student to post-test on the Level M test in Mathematics (see #3 on previous page).

In summary, this student's Next Test Assignment or NTA for math is 11 M. (See below.)

Pretest	Posttest				
Form 12	Form 11				
Level M	Level M				
NTA = Mathematics 11 M					

Clarifying Point:

If a student scores more than one NRS level above the targeted level, then a (+) sign will appear next to the scale score and their score will be set to the highest possible scale score, which is one above the targeted level. In this case, students may want to test with a higher TABE test in order to better assess their ability.

Scale scores with a minus (-) sign next to them are indicators that the student performed at the lower end of the performance range of that level of TABE and the student will likely need to have extended instruction to be ready to demonstrate an NRS Gain on a post test.

You see this disclaimer on the Individual Profile Report regarding student scores that are followed by either a "+" plus or "-" minus sign by the scale score. This indicates that you may have the option to retest the student at either a higher or lower level test.



Before making the decision, consider making the choice that will allow the student to post-test at the lowest level possible. This has two benefits:

- 1. It ensures you are addressing mastery of lower-level content in order to avoid learning gaps, and
- 2. It is easier for a student to make a functional level gain or gain a Literacy Completion Point (LCP).

Whatever you decide is in your student's best interest, be sure that you provide him with the appropriate IISP.

STEP 3

Use student data to develop a true IISP

Now that the student's next form number as well as NTA have been identified, the corresponding IISP can be created for the student. This will enable the teacher and student to focus on instruction that addresses non-mastered content that will be post-tested. The IISP level should match the suggested NTA level. You are now ready to create the IISP.

i	ipdae institute for the professional development of adult educators										
₽ STU	INDIVIDUALIZED INSTRUCTIONAL STUDENT PLAN ABE Mathematics: TABE Level M STUDENT: I.D.: TEACHER: COURSE:										
CUI	DATA RECOGNITION DRC CORPORATION Individual Pro Report Criteria	file: Cab	rera, Pilar								TABE.
	ID: 30091000 State: FL Test Name: TABE 12 ALL District: MIAMI DADE COUNTY PUBLIC SCH Report: ALL School: MIAMI SUNSET ADULT Report Date: 08-03-2020 MIAMI SUNSET ADULT										
	Test Results		Test Date	Level	Number Total	of Points Obtained	Items Attempted	Scale Score	SEM	NRS Level	MSG
	Reading Mathematics Language		 02/11/2020 	 М	 39 	 16 	 35 	 484 	 14 	2	N

Always be sure that you have the appropriate IISP template as well as a copy (print or digital) of the student's Individual Profile Report.

ipdae	INSTITUTE FOR THE PROFES DEVELOPMENT OF ADULT	SIONAL EDUCATORS			
	INDIVIDUALIZE ABE M	D INSTRU	CTIONAL STUDENT s: TABE Level M	PLAN	
STUDENT: TEACHER:	Maria Gutierrez Alex Smith	COURSE:	ABE Math B	I.D.: DATE:	99999999 10/06/2020
CURRENT TEST			POST-TESTING INFO	ORMATION:	
Current Test L Current Test L Current Test F NRS Level & Scale S	Level: □E XM Form: □11 X12 Core: X2 (449-495) □3 (496-!	536)	Grade Level Correlatio	el: C n: 4-5, +6	

	Individual Profile: Report Criteria									
ID: 300705 State: FL Test Name: TAE 12 District: MIAMI DADE COUNTY PUBLIC SCH Report: ALL School: MIAMI SUNSET ADULT Report Date: 08-03-2020 High Kenter										
	Test Results Test Date Level Total Obtained Attempted Score SEM NRS Level MSG									MSG
	Reading Mathematics	 03/10/2020	M	 39	 16	 35	 484	 14	2	 N

Look at the diagram above. Based on our sample student's pre-test score, we have already determined that the student will post-test on a Mathematics Form 11, Level M test.

- 1. Type/write in the student's personal information at the top.
- 2. Transfer the current testing information from the student's Individual Profile Report. We select "M", "12", and NRS level "2"

Follow the red circles and arrows so that you see how to align the information and transfer it correctly.

3. We now transfer the performance on the individual domains from the Individual Profile Report to the corresponding section of the IISP. I want to clarify that sometimes there is an insufficient number of questions under a particular domain. When this happens, you will not have the performance for that domain showing in the Performance Category section. proficiency.

Excerpts from the Individualized Instructional Student Plan

	DOMAIN: CATEGORY: # Questions:	DOMAIN: Number & Operations - Fractions (20%) SCORED PROFICIENCY CATEGORY: Number & Operations - Fractions (NF) # Questions: 7						ficiency roficiency cy		
							W			
	DOMAIN:	Number & Opera	tions in Ba	ase Ten (1	5%) SO	CORED PROFICIENC	Y: 👗 Non-Pro	ficiency		
	# Questions:	Number & Operatio	ns in Base T	en (NBT)			Partial Pi Droficion	roficiency		
	DOMAIN:	r: 🗙 Non-Prof	X Non-Proficiency							
	CATEGORY: Operations & Algebraic Thinking (OA)							Partial Proficiency		
	# Questions:	4						сy		
_										
	Excerpts from the TABE 11/12 Individual Profile Report									
	Mathematics									
	Measurement a	and Data	6	6	3		1			
	Numbers and O	perations - Fractions	7	8	5		1			

	Mathematics						
	Measurement and Data	6	6	3		1	
•	Numbers and Operations - Fractions	7	8	5		1	
	Numbers and Operations - Base Ten	5	5	2		1	
	Operations and Algebraic Thinking	4	5	0	1		
	Geometry	4	5	1	1		
	Expressions and Equations	4	5	2		1	

Let me bring something to your attention. Remember that this student pretested on a Level M test and will be post-testing on a Level M test. This will make it very simple to transfer information from the student's Individual Profile Report to the IISP. If the student were testing on a Level D test, however, you would not be able to directly transfer the data from the IISP because the tested content would be different. In essence, you would need to cover most, if not all, of the content on the Level D IISP.

In the example above, you can see how 3 of the results are transferred to the IISP. The Number & Operations – Fractions "Partial Proficiency" performance found on the TABE Report is transferred to the same section on the IISP for Number & Operations – Fractions. You can also see how two additional results (Number & Operations in Base Ten and Operations & Algebraic Thinking) are transferred to the same two domains on the IISPs.

As we continue, remember to keep foremost in your mind that one of the key goals for using the IISP is for the student to become a self-directed, expert learner who monitors progress and reflects on learning based on mastery of content and skills. It is strongly recommended that you complete this next activity with the student and that you encourage the student to monitor his own progress. You may need to do this with the student several times until he truly understands the process and is comfortable doing it on his own. Nonetheless, you will still need to monitor student's progress in order to determine when he is ready to post-test.

Let us continue transferring the student's pre-test data to the IISP.

4. You now look at each domain section. (Refer to the diagram on the following page.) Take one domain section at a time and reference back to the student's Individual Profile Report. On this TABE report, you need to transfer the information from the "Demonstrated Skills" column to the IISP. Because these skills have already been mastered, you want to simply put a checkmark in the "Mastery Date" column on the IISP. Continue to cross-reference until you have completed this for all the domains. Keep the process simple. Once you have checked off the skills under the "Demonstrated Skills" column, you know that anything that is left over under that domain has not yet been mastered so just leave the rest blank.

DOMAIN: Measurement & Data (15%) SCORED PROFICIENC CATEGORY: Measurement & Data (MD) # Questions: 6			CY: ONC Pa Pro	on-Proficieno rtial Proficie oficiency	:y :ncy
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Solve Problems Involving Measurement & Conversion of Measurements from a Large Unit to a Smaller Unit	Evaluate perimeter and area	Find the missing side length of a rectangle given one side length and the area or perimeter	N/A	4.MD.3	
	Calculate and interpret volume	An angle that turns through <u>n one</u> -degree angles is said to have an angle measure of n degrees.	Low	4.MD.5	
Geometric Measurement: Understanding Concepts of Angle &	Identify and	Extend the use of measuring tools to include measuring angles with protractors Measure angles to the nearest degree using a Protractor and create angles with given measures Use the properties of angles to write & solve equations	Weatam	4.WD.0	\checkmark

Excerpt from the Individualized Instructional Student Plan

Excerpt from the TABE 11/12 Individual Profile Report

FORM	DOMAIN	PERFORMANCE	DEMONSTRATED SKILLS
м	Mathematics		
	Measurement and Data	Partial Proficiency	 Measure angles to the nearest degree using a protractor and create angles with given measures Find the missing side length of a rectangle given one side length and the area or perimeter

NOTE: In the two charts on the previous page, it is important to note that the verbiage used on the IISP matches that of the TABE 11/12 Individual Profile Report. This will make it easy to match content from one document to the other. If the specific TABE skill is located on the "Demonstrated Skills" column, then simply place a checkmark on the student's IISP in the "Mastery Date" column. There is no need to put a date since this data is being transferred directly from the testing report.

Before moving on to Step 4, let's further clarify three table titles found under the domains just to be sure that you are clear as to where these titles and categories come from and how they can help you and your student better identify and understand the tested content. Glance at the diagram below.

DOMAIN: Me CATEGORY: Me # Questions: 6	CY: 🗆 No 🗆 Pa 🗆 Pr	on-Proficien rtial Proficie oficiency	cy ency		
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Solve Problems Involving Measurement & Conversion of Measurements from a Large Unit to a Smaller Unit	Evaluate perimeter and area	Find the missing side length of a rectangle given one side length and the area or perimeter	N/A	4.MD.3	
	Calculate and interpret volume	An angle that turns through <u>n one</u> -degree angles is said to have an angle measure of n degrees.	Low	4.MD.5	
Geometric Measurement: Understanding Concepts of Angle &	ldentify and	Extend the use of measuring tools to include measuring angles with protractors Measure angles to the nearest degree using a Protractor and create angles with given measures Use the properties of angles to write & solve equations	Medium	4.MD.6	

First of all, just a brief reminder that the TABE 11/12 Mathematics test was developed to gauge mastery of CCR standards. This being the case, it is essential for each level IISP (E, M, D, or A) to be aligned to the corresponding CCRS Level. This is why we have included the CCRS Category on the IISP.

Next you have the TABE Category. The TABE Category is taken from either the TABE 11/12 Blue Prints found on the DRC website under "Resources". It is also taken from the newly provided "Cross Walks" which are also found in the same location. Both have been cross referenced with the TABE 11/12 Individual Profile Report in order to ensure that no essential information was omitted in creating these reports. While we conducted this analysis, we found that some of the content that was identified as tested content on the corresponding level TABE 11/12 Blue Print or Cross Walk document did into appear on DRC's Individual Profile Report. You will note that under the "TABE Skill" column, you will see some TABE Skills that appear with a "plus" sign. As previously noted, we have added the item from either the Blue Print or Cross Walk, so don't stress. We know that there

are discrepancies among the three documents; but we are addressing it in this manner to ensure that no essential information is left out. Back to the TABE Category, we have included it here in order to facilitate lesson planning, especially in multi-level ABE classrooms.

Thirdly, we move to the TABE Skills column. We've already established that this column is copied verbatim from the TABE Individual Profile Report. The reasoning behind this is so that you can easily transfer data from the Individual Profile Report to the IISP. It also makes it easier for a student to read his Individual Profile Report and match it up against his IISP. Educators, you are strongly encouraged to emphasize all TABE skills listed on the IISP. Let me clarify one more thing before we move on to Step 4.

Let's carefully look at the note in red on the snip below. It reads, "This Domain has no questions represented on the Mathematics TABE Level M Test; however, it has been included since it is identified as a tested domain in the TABE Blue Prints." What does this mean? Well, it specifically means that there was either an insufficient number of questions on the TABE M test to be included on the report or the questions are field test questions.

DOMAIN: Statistics & Probabi CATEGORY: Statistics & Probability (# Questions: No Questions Identified	lity (5%) SCORED PROFICIEN SP)	CY: 🗆 No 🗆 Pa 🗆 Pr	on-Proficien artial Proficie oficiency	cy ency
This Domain has no questions represented on the Mathematics TABE Level M <u>test;</u> however, it has been included since it is identified as a tested domain in the TABE <u>Blue Prints</u> .				
CCRS Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Develop Understanding of Statistical	 Recognize a statistical question as one that anticipates variability in the data related to the question and accounts for it in the answers. 	Medium	6.SP.1	
Variability	 Understand that a set of data collected to answer a statistical question has a distribution which can be described by its center, spread, and overall shape. 	Low	6.SP.2	
Summarize & Describe Distributions	Display numerical data in plots on a number line, including dot plots, histograms, and box plots.	Low	6.SP.4	

You are now ready for Step #4 of the process: Using the IISP to differentiate, individualize, and personalize.

STEP 4

Use the IISP to differentiate, individualize, and personalize.

Now that the student's IISP is complete, you have a document that takes all of the guesswork out of instruction. With the IISP, both you and the student know exactly what standards, sub-standards, and skills need to be emphasized and which need perhaps a light review or can be skipped altogether.

Now, we will address how you can use the IISP to differentiate, individualize, and personalize instruction. Keep in mind, however, that this part of the process requires practice and experience. The more you use the IISP to develop lessons and activities and to drive instruction, the more proficient you will become at it. Also, remember that every time a standard, substandard, or skill has been mastered; it is essential that the mastery date be documented on the student's IISP. This will keep your data live and will let you and the student know when the student is ready for post-testing. As the student monitors his own progress, he will become more self-directed in his learning. He will seek out activities that address non-mastered content and skills.

Differentiate	Individualize	Personalize
Small, Flexible Groups	Individual Students	Individual Students
Design lessons around	 Work with individual 	 Customize activities
non-mastered content.	students to provide	based on the student's
Group students by non-	instruction.	strengths, needs, skills,
mastered standards,	 Target one failed 	and interest.
substandards, or TABE	standard, substandard,	Involve the student when
skills.	or TABE skill at a time.	selecting or creating
Be sure to engage	 Assign activities on 	learning activities that
students who have	content which has not	are of interest to the
already mastered a	been mastered.	student.
content or skill in an	Pace activities and test	 Guide the student in
alternate activity that	as soon as the student	selecting activities for
addresses other non-	has mastered tested	non-mastered content.
mastered content.	content.	

The chart below provides an at-a-glance summary of key points; however, for a detailed explanation of each category, turn to the next page.

To address differentiated instruction, be sure that you organize students into small groups based on commonly failed content. These groups should be flexible. In other words, students should not remain in the same group throughout the length of the course. If a student has already mastered the content you are teaching, be sure to provide alternate activities that address non-mastered content.

To individualize your instruction, work one-on-one with the student. Target one failed standard, substandard, or TABE skill at a time. Assign activities only for non-mastered content. Pace activities to fit your student's learning style and test the student as soon as he has demonstrated mastery of the tested content.

Finally, to personalize instruction, select or customize activities that are of interest to the student. The goal here is for the student to eventually be able to select his own activities based on non-mastered content. You will need to provide guidance at first to ensure that the student makes appropriate selections based on needs, skills, and interest. Then gradually release the student as he demonstrates accuracy in making the appropriate selections on his own.

Conclusion and Reflection

Let us now take a brief moment to summarize some key points.



Now you have the tool that you need to take the guesswork out of teaching and to engage each student in taking an active part in his learning. Use the math IISPs to target specific learning needs. Use them to hold individual data chats with your students. Go over what they have mastered and what remains pending. Have discussions about what activities they prefer and are of greater interest to them. As you personalize activities more and more, you will see how students become engaged and empowered in their learning; and finally, watch your data start to move in the right direction.

Time to Reflect

As always, I like to end my trainings by emphasizing a growth mindset and, therefore, ask you to take what you have learned one step further.

Change how you look at instruction. Look beyond your class as a whole. When differentiating instruction, be sure that you group students based on non-mastered content. Then, take it further and begin to look at each individual student so that you can address the specific needs of each student.

Redesign your curriculum. Develop lessons and select instructional resources based on commonly failed content. Emphasize activities that support tested content. Make an active decision to drive targeted instruction based on the IISP and use this plan to motivate your students to become actively engaged in their own learning. Pace activities and schedule post-testing based on each student's individual progress.

Review the information covered in this companion resource handbook along with the webinar with the same title. Share this information with teachers, administrators and district personnel and become an expert.

Reflect and Make a Change. Finally, ask yourself, "What is working especially well in my ABE math class, and what is not?" Hold regular data chats with your students and be sure to update math IISPs every time content is mastered. Work with your testing department to test students as soon as they have demonstrated mastery of tested content. Share your students' success with other teachers so that they too are motivated to implement changes that will drive up all student performance data.

Appendix A

Cheat Note for Determining a Student's Post-test Form and Level (TABE 11/12)

TABE 11/12: Determining a Student's Next Test Assignment (NTA)

In order to target student deficiencies in preparation for post-testing with the TABE 11/12 Reading, Mathematics, and Language tests; it is essential that the correct Individualized Instructional Student Plan (IISP) be used in order to ensure tested content is addressed through instruction and assessed for mastery.

Step 1: Determine the next form number.

Keep it simple. If the student pre-tested on Form 11 of the TABE 11/12 test, then post-test the student on Form 12 and vice versa. By selecting the alternate form, you will be able to post-test more frequently, thereby allowing you increased opportunities to move the student from one functional level to the next. See the recommended testing times below.

NRS Level	Alternate Form Testing	Same Form Testing
(i.e., 11 M to 12 M)		(i.e., 11 M to 11 M)
	Recommended	
1-4	50-60 hours of instruction recommended	60-80 hours of instruction
5 – 6	30-59 hours of instruction recommended	recommended

Step 2: Determine the next level test.

This is critical! Always try to post-test a student at the lowest level possible. This has two benefits: (1) It ensures you are addressing mastery of lower-level content in order to avoid learning gaps and (2) it is easier for a student to make a functional level gain or gain a Literacy Completion Point (LCP). Follow the chart below. Based on a student's pre-test TABE Level (left column) as well as NRS Level (middle column), you will prepare the student to post-test at the identified next test level (right column).

Pre-test TABE Level	Pre-test NRS Level	Suggested NTA
E	1	E
E	2	E
	3	М
Μ	2	М
	3	М
	4	D
n	3	D
U U	4	D
	5	A
٨	4	A
A	5	A
	6	N/A

Step 3: Create the correlated IISP.

Now that the student's next form number as well as NTA have been identified, the corresponding IISP can be created for the student. This will enable the teacher and student to focus on instruction that addresses non-mastered content that will be post-tested. The IISP level should match the suggested NTA level.

Appendix B

TABE 11/12 IISPs for the Mathematics Tests

(There is a total of four math IISPs. A sample template of each is included under Appendix B. Additionally, a fillable pdf version of each plan is available for download on the IPDAE website.)



STUDENT:		I.D.:	
TEACHER:	COURSE:	DATE:	

CURRENT TESTING I	NFORMATION:	POST-TESTING INFOR	MATION:
Test Date:		TABE Level:	E
Current Test Level:	ΠE	CCR Level:	В
Current Test Form:		Grade Level Correlation:	2-3
NRS Level & Scale Score:	□1 (300-448) □2 (449-495)		

DOMAIN: Nu	DOMAIN: Number & Operations in Base Ten (28%) SCORED PROFICIENCY: On-Proficiency				
CATEGORY: Nu	mber & Operations in	Base Ten (NBT)	🗆 P	artial Profic	ency
# Questions: 9			□ P	roficiency	
				Aligned	Mastery
CCRS Category	TABE Category	TABE Skill	Emphasis	CCRS	Date
		Identify the values of digits of 2- and 3-digit numbers			
	Understand place value	Create and use multiple representations of multi-digit numbers based on place value (e.g., base ten blocks, place value charts, expanded form)	Low	2.NBT.1b	
Understand Place	Skin count	Skip count by 5s, 10s, and 100s	Madium	2 NDT 2	
value	Skip count	Skip count by 5s, 10s, 100s, & by multiples of 10s & 100s	wiedrum	Z.IND1.Z	
	Compare two- and	 Read & write numbers to 1000 using base-ten numerals, number names, and expanded form 	Low	2.NBT.3	
	three-digit numbers	Compare values of digits in multi-digit numbers	Medium	2.NBT.4	
	Use place value	Create and use multiple representations of multi-digit decimals based on place value	Medium	2.NBT.6	
Use Place Value Understanding & Properties of	Explain properties of	Create and use multiple representations of addition and subtraction of two- and three-digit numbers based on place value (e.g., base ten blocks, area models) and Connect these representations to the standard algorithms (especially where regrouping is required)	Medium	2 NRT 7	
operations to Add and Subtract	operations	Create and use multiple representations of addition and subtraction of multi-digit numbers, including those with more than three digits, based on place value and connect these representations to the standard algorithms (especially where regrouping is required)			
	the dependence of the sec	Round numbers to tens and hundreds places			
	Understand place	Round numbers to nearest hundreds & thousands place	Medium	3.NBT.1	
Use Place Value	value	Multiply single-digit whole numbers by 10	1		
Understanding and Properties of Operations to Perform Multi-digit	Explain properties of	 Fluently add & subtract within 1000 using strategies & algorithms based on place value, properties of operations, &/or the relationship between addition & subtraction. 	Low	3.NBT.2	
Arithmetic	operations	Explore patterns in multiplying numbers by 10			
		Investigate the relationship between skip counting and multiplication and division	Low	3.NBT.3	



DOMAIN: Number & Operations - Fractions (12%) SCORED PROFICIENCY: Non-Proficiency CATEGORY: Number & Operations - Fractions (NF) Partial Proficiency # Questions: 5 Proficiency					
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
		Identify some representations of fractions			
		Use unit fractions to compose simple, non-unit fractions			
		Use unit fractions to compose & decompose non-unit fractions	Medium	3.NF.1	
		Use unit fractions and non-unit fractions to compose and decompose non-unit fractions in different ways			
	Evaluate fractions	➡ Represent a fraction 1/b on a number line diagram by defining the interval from 0 to 1 as the whole and partitioning it into b equal parts. Recognize that each part has size 1/b and that endpoint of the part based at 0 locates the number 1/b on the number line.	Medium	3.NF.2a	
Develop Understanding of		Create and use multiple representations of fractions (e.g., number lines, area models, set models)	Medium	3.NF.2b	
Fractions as Numbers		Understand two fractions as equivalent (equal) if they are same size, or the same point on a number line.	High	3.NF.3a	
		Use multiple representations to identify or create an equivalent fraction to a given fraction or whole number	High	3.NF.3b	
		 Express whole numbers as fractions, & recognize fractions that are equivalent to whole numbers. 	High 3.NF.3c	3.NF.3c	
		Identify benchmark fractions (e.g., $\frac{1}{2}$) and reason about their sizes			
	Compare Fractions	Compare fractions to benchmark fractions (e.g., ½) and reason about their sizes	High	3.NF.3d	
		Compare fractions with the same numerators or the same denominators by reasoning about their sizes (using benchmark fractions)			

DOMAIN: Operations & Algebraic Thinking (22%) SCORED PROFICIENCY: Image: Non-Proficiency CATEGORY: Operations & Algebraic Thinking (OA) Image: Partial Proficiency						
# Questions: 7			🗆 Pi	roficiency		
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
Represent & Solve Problems Involving Addition & Subtraction	Add and subtract whole numbers	Use addition & subtraction within 100 to solve one- and two-step word problems involving situations of adding to, taking from, putting together, taking apart, & comparing, with unknowns in all positions.	Medium	2.0A.1		
		 Interpret products of whole numbers. 	Medium	3.0A.1		
		 Interpret whole-number quotients of whole numbers. 	Low	3.OA.2		
Represent & Solve Problems Involving Multiplication & Division	Multiply whole numbers	Create and use visual representations of multiplication and division of whole numbers (e.g., arrays, equal groups, area models)				
		Create and use visual representations to partition areas of shapes	Low	3.OA.3		
	Apply properties of operations: multiplication and division	Identify visual representations of multiplication and division of whole numbers (e.g., arrays, equal groups, area models)				



DOMAIN: Operations & Algebraic Thinkingcontinued						
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
		 Determine unknown whole number in multiplication or division equation relating 3 whole numbers. 	Low	3.OA.4		
Understand Properties of Multiplication &		Create, compare, and analyze multiple solution strategies & representations to investigate relationship between multiplication and division of whole numbers				
Relationship b/t		Solve basic multiplication problems using math fact strategies.	Low	3.OA.5		
Division		Solve multiplication and division problems using math fact strategies	_			
		 Understand division as an unknown-factor problem. 	Medium	3.OA.6		
Multiply & Divide Within 100	Apply properties of operations:	Use equations to connect an unknown product of a multiplication problem to a missing factor in a related division problem	Low	3.0A.7		
	multiplication and division	Write and solve expressions and equations to represent real-world situations	Medium	3.OA.8		
		Solve real-world problems involving multiplication and division while using visual representations to show the process				
Solve Problems Involving the Four Operations, & Identify & Explain Patterns in Arithmetic		Solve multi-step, real-world problems involving addition, subtraction, multiplication, and/or division of whole numbers while using visual representations to show process				
		Connect visual representations of real-world problems to expressions and equations that also represent the real-world problems				
		Use number patterns with simple addition rules to investigate how they relate to multiplication & division	low	3 0 4 9		
	Understand and apply pattern rules	Identify an addition rule given a pattern and create patterns when given simple addition rules	Low	3.UA.9		

DOMAIN: Geometry (10%)		SCORED PROFICIENCY: On-Proficiency			
CATEGORY: Geo	ometry (G)	Partial Proficiency			
# Questions: 4			🗆 Pro	oficiency	
				Aligned	Mastery
CCRS Category	TABE Category	TABE Skill	Emphasis	CCRS	Date
		Distinguish common and non-common attributes of pairs or groups of shapes		2.G.1	
		Explore properties of shapes with more than four sides	 Medium		
		Extend properties of 2-dimensional shapes to 3- dimensional shapes.			
		Identify features of given shapes with words & pictures			
Reason with Shapes & Their Attributes	Know geometric shapes, figures, and attributes	Identify simple features (number of sides, number of angles, etc.) of given shapes with pictures			
a men Attributes		Recognize points, lines, line segments, angles, and parallel and perpendicular lines in the coordinate plane			
		Recognize points, lines, line segments, angles, & parallel and perpendicular lines in polygons and in diagrams other than those of polygons			
		Identify shapes whose areas have been partitioned into halves and quarters	Low	2.G.3	



DOMAIN: Geometrycontinued							
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
Reason with Shapes & Their Attributes	Know geometric shapes, figures, and attributes	Analyze polygons with similar properties and some of the same features Describe and analyze features of shapes extending beyond numbers of sides and angles (e.g., relationships between pairs of sides or angles) Identify and create non-examples of shapes	Medium	3.G.1			
		Identify both properties of given shapes and shapes with given properties Identify features of given shapes with words and pictures together and separately Identify properties of shapes with three or four sides					
		Create and use visual representations to partition areas of shapes	Low	3.G.2			

DOMAIN: Measurement & Data (10%) SCORED PROFICIENCY: UNOn-Proficiency					
CATEGORY: Me	asurement & Data (I	MD)	∐ Pa	rtial Proficie	ency
# Questions: 10			⊔ Pr	oficiency	
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
		Measure objects in different units (with fractional lengths) and compare these measurements	Low	2.MD.2	
Measure & Estimate	.	Choose an appropriate unit of measure for a given object			
Lengths in Standard	ivieasure, estimate,	Estimate length of an object before measuring the object	Low	2.MD.3	
Units	express lengths	 Measure to determine how much longer one object is than another, expressing the length difference in terms of a standard length unit. 	Low	2.MD.4	
Relate Addition & Subtraction to Length	Represent whole numbers on a number line	 Represent whole numbers as lengths from 0 on number line diagram w/ equally spaced points corresponding to numbers 0, 1, 2,, & represent whole-number sums & differences w/in 100 on number line diagram. 	Low	2.MD.6	
Solve Problems		Find elapsed time when given a start and end time		3.MD.1	
Measurement & Estimation of Intervals of Time,	Understand time	Solve problems involving addition & subtraction of time intervals, especially working backward from given end time	Medium		
Liquid, Volumes, & Masses of Objects		Extend arithmetic operations to real-world problems involving volumes and masses of objects	Medium	3.MD.2	
	Solve problems using scaled bar graph	Identify bar graphs that match a given data set and explain simple characteristics (e.g., category totals)	- Low	2.MD.10	
		Create bar graphs from given data sets and explain simple characteristics (e.g., category totals)			
Represent &		Use bar graphs with different scales to solve problems involving multiple categories	Low	3.MD.3	
interpret Data			Low	3.MD.4	
Geometric Measurement: Understand Concepts of Area & Relate to Area of Multiplication & Addition	Understand	Relate area to operations of multiplication & addition.	High	3.MD.7	
	concepts of area measurement	A plane figure which can be covered without gaps or overlays by n unit squares is said to have an area of n square units.	Low	3.MD.5.b	



DOMAIN: Measurement & Data continued								
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date			
Geometric Measurement: Recognize Perimeter	Evaluate perimeter and area	Identify and create squares and rectangles with given areas or perimeters	Medium	3.MD.8				
as Attribute of Plane Figures & Distinguish b/t Linear & Area		Identify and create squares and rectangles with the same areas and different perimeters						
Measures		Find areas and perimeters of squares and rectangles						

+ Standard is listed on TABE Level E Crosswalks or on TABE Level E Blue Prints; however, it does NOT appear on the Student Individual Profile Report.

Correlated CCR Anchor/Substandards & Descriptions

		Number & Operations in Base Ten
	2.NBT.1	Understand that the three digits of a three-digit number represent amounts of hundreds, tens, and ones; e.g., 706 equals 7 hundreds, 0 tens, and 6 ones. Understand the following as special cases:
		A. 100 can be thought of as a bundle of ten tens — called a "hundred." B. (See 2 NBT 1b below)
	2.NBT.1b	Numbers 100, 200, 300, 400, 500, 600, 700, 800, 900 refer to one, two, three, four, five, six, seven, eight, or nine hundreds (& 0 tens & 0 ones)
	2.NBT.2	Count within 1000; skip-count by 5s, 10s, and 100s.
	2.NBT.3	+Read & write numbers to 1000 using base-ten numerals, number names, & expanded form.
	2.NBT.4	Compare two 3-digit numbers based on meanings of hundreds, tens, & ones digits, using >, =, & < symbols to record results of comparisons.
	2.NBT.6	Add up to four two-digit numbers using strategies based on place value and properties of operations
	2.NBT.7	Add & subtract within 1000, using concrete models or drawings & strategies based on place value, properties of operations, &/or relationship b/t addition & subtraction; relate strategy to written method. Understand that in adding or subtracting 3-digit numbers, one adds or subtracts hundreds & hundreds, tens & tens, ones & ones; & sometimes it's necessary to compose or decompose tens or hundreds.
	3.NBT.1	Use place value understanding to round whole numbers to the nearest 10 or 100.
	3.NBT.2	+Fluently add & subtract within 1000 using strategies & algorithms based on place value, properties of operations, &/or relationship between addition & subtraction.
	3.NBT.3	Multiply one-digit whole numbers by multiples of 10 in the range 10 - 90 (e.g., 9 x 80, 5 x 60) using strategies based on place value and properties of operations.
		Number & Operations - Fractions
	3.NF.1	Understand a fraction 1/b as the quantity formed by 1 part when a whole is partitioned into b equal parts; understand a fraction a/b as the
-		quantity formed by a parts of size 1/b.
	3.NF.2	Understand a fraction as a number on the number line; represent fractions on a number line diagram.
Ц	3.NF.Za	Recognize each part has size 1/b & that endpoint of part based at 0 locates number 1/b on number line.
	3.NF.2b	Represent a fraction a/b on a number line diagram by marking off a lengths 1/b from 0. Recognize resulting interval has size a/b and that Its endpoint locates the number a/b on the number line.
	3.NF.3	Explain equivalence of fractions in special cases, and compare fractions by reasoning about their size.
	3.NF.3a	+Understand two fractions as equivalent (equal) if they are the same size, or the same point on a number line.
	3.NF.3b	Recognize and generate simple equivalent fractions, e.g., 1/2 = 2/4, 4/6 = 2/3. Explain why the fractions are equivalent, e.g., by using a visual fraction model.
	3.NF.3c	+Express whole numbers as fractions, and recognize fractions that are equivalent to whole numbers. Examples: express 3 in the form 3 = 3/1; recognize that 6/1 = 6; locate 4/4 and 1 at the same point of a number line diagram.
	3.NF.3d	Compare 2 fractions w/ same numerator or same denominator by reasoning about their size. Recognize that comparisons are valid only when 2 fractions refer to same whole. Record results of comparisons w/ symbols >, =, or <, & justify conclusions, e.g., by using visual fraction model.
		Operations & Algebraic Thinking
	2.0A.1	+Use addition and subtraction within 100 to solve one- and two-step word problems involving situations of adding to, taking from, putting
		together, taking apart, and comparing, with unknowns in all positions, e.g., by using drawings and equations with a symbol for the unknown number to represent the problem.
	3.0A.1	+Interpret products of whole numbers, e.g., interpret 5 × 7 as the total number of objects in 5 groups of 7 objects each. For example,
п	3 0 4 2	describe a context in which a total number of objects can be expressed as 5×7 . Interpret whole-number quotients of whole numbers, e.g., interpret 56 \pm 8 as the number of objects in each share when 56 objects are
-	5.04.2	partitioned equally into 8 shares, or as a number of shares when 56 objects are partitioned into equal shares of 8 objects each. For example, describe a context in which a number of shares or a number of groups can be expressed as 56 ÷ 8.

	3.OA.4	+Determine the unknown whole number in a multiplication or division equation relating three whole numbers. For example, determine the unknown number that makes the equation true in each of the equations $8 \times ? = 48.5 = [box]/3.6 \times 6 = ?$.
	3.OA.3	Use multiplication and division within 100 to solve word problems in situations involving equal groups, arrays, and measurement quantities, e.g., by using drawings and equations with a symbol for the unknown number to represent the problem.
	3.OA.5	Apply properties of operations as strategies to multiply and divide 15. Examples: If $6 \times 4 = 24$ is known, then $4 \times 6 = 24$ is also known. (Commutative property of multiplication.) $3 \times 5 \times 2$ can be found by $3 \times 5 = 15$, then $15 \times 2 = 30$, or by $5 \times 2 = 10$, then $3 \times 10 = 30$. (Associative property of multiplication.) Knowing that $8 \times 5 = 40$ and $8 \times 2 = 16$, one can find 8×7 as $8 \times (5 + 2) = (8 \times 5) + (8 \times 2) = 40 + 16 = 56$. (Distributive property.)
	3.OA.6	+Understand division as an unknown-factor problem. For example, find 32 ÷ 8 by finding the number that makes 32 when multiplied by 8.
	3.OA.7	Fluently multiply and divide within 100, using strategies such as the relationship between multiplication and division (e.g., knowing that 8 × 5 = 40, one knows 40 ÷ 5 = 8) or properties of operations. Know from memory all products of two one-digit numbers.
	3.OA.8	Solve two-step word problems using the four operations. Represent these problems using equations with a letter standing for the unknown quantity. Assess the reasonableness of answers using mental computation and estimation strategies including rounding.
	3.OA.9	Identify arithmetic patterns (including patterns in addition table or multiplication table), & explain them using properties of operations. For example, observe that 4 times a number is always even, & explain why 4 times a number can be decomposed into two equal addends.
		Geometry
	2.G.1	Recognize and draw shapes having specified attributes, such as a given number of angles or a given number of equal faces.17 I dentify triangles, quadrilaterals, pentagons, hexagons, and cubes.
	2.G.3	Partition circles & rectangles into 2, 3, or 4 equal shares, describe the shares using the words halves, thirds, half of, a third of, etc., and describe whole as two halves, three thirds, four fourths. Recognize that equal shares of identical wholes need not have the same shape.
	3.G.1	+Understand that shapes in different categories (e.g., rhombuses, rectangles, & others) may share attributes (e.g., having four sides), & that shared attributes can define larger category (e.g., quadrilaterals). Recognize rhombuses, rectangles, & squares as examples of quadrilaterals,
		& draw examples of quadrilaterals that don't belong to any of these subcategories.
	3.G.2	Partition shapes into parts with equal areas. Express the area of each part as a unit fraction of the whole. For example, partition a shape into 4 parts with equal area, and describe the area of each part as 1/4 of the area of the shape.
		Measurement & Data
	2.MD.2	Measure the length of an object twice, using length units of different lengths for the two measurements; describe how the two measurements relate to the size of the unit chosen.
	2.MD.3	Estimate lengths using units of inches, feet, centimeters, and meters.
	2.MD.4	+Measure to determine how much longer one object is than another, expressing the length difference in terms of a standard length unit.
	2.MD.6	+Represent whole numbers as lengths from 0 on a number line diagram with equally spaced points corresponding to the numbers 0, 1, 2,, and represent whole-number sums and differences within 100 on a number line diagram.
	2.MD.10	Draw a picture graph and a bar graph (with single-unit scale) to represent a data set with up to four categories. Solve simple put-together, take-apart, and compare problems using information presented in a bar graph.
	3.MD.1	Tell and write time to the nearest minute and measure time intervals in minutes. Solve word problems involving addition and subtraction
	3.MD.2	Measure and estimate liquid volumes and masses of objects using standard units of grams (g), kilograms (kg), and liters (l). Add, subtract, multiply, or divide to solve one-step word problems involving masses or volumes that are given in the same units, e.g., by using drawings
_		(such as a beaker with a measurement scale) to represent the problem.
Ц	3.MD.3	Draw a scaled picture graph and a scaled bar graph to represent a data set with several categories. Solve one- and two-step "how many more" and "how many less" problems using information presented in scaled bar graphs. For example, draw a bar graph in which each
	2.145.4	square in the bar graph might represent 5 pets.
	3.MD.4	- Proceeding a contrast of an appropriate units — whole numbers, halves, or quarters. - Proceeding a contrast of an appropriate units — whole numbers, halves, or quarters.
	3.IVID.5	The cognize area as an altitude of plane ingules and understand concepts of alea medsurement.
	3.IVIU.50	TA plane ingure which can be covered w/o gaps or overlaps by <i>n</i> unit squares is said to have an area of <i>n</i> square units.
	3.IVID./	Treate area to the operations of multiplication and addition.
		Noive real world & mathematical problems involving perimeters of polygons, including tinging perimeter given the side lengths, tinding an

This IISP contains information obtained from the source documents listed below.

TABE Test for Adult Assessment: Blue Prints

https://tabetest.com/resources-2/testing-information/blue-prints/

TABE Test for Adult Assessment: Crosswalks https://tabetest.com /PDFs/TABE_11_12_Skills_Crosswalks_Mathematics.pdf

TABE Test for Adult Assessment: TABE 11/12 Individual Profile Report https://tabe.drcedirect.com/default.aspx?leapp=Reports&leview=DynamicStudentReports

Pimentel, Susan. "College and Career Readiness Standards for Adult Education." Office of Career, Technical, and Adult Education, U.S. Department of Education, 2013, lincs.ed.gov/publications/pdf/CCRStandardsAdultEd.pdf.



STUDENT:			I.	.D.:	
TEACHER:	COURSE:			'E:	
CURRENT TESTIN	G INFORMATION:	POST-TESTING	INFORMA	TION:	
Test Dat	e:	TA	BE Level: M		
Current Test Leve	el: $\Box E \Box M$	CC Grade Lovel Cor	CR Level: C	+6	
NRS Level & Scale Scor	re: 2 (449-495)	3 (496-536)		, 10	
	()				
DOMAIN: Nu	mber & Operation	s in Base Ten (15%) SCORED PROFICIEI	NCY: 🗆 N	lon-Proficier	าตง
CATEGORY: Nu	mber & Operations in	Base Ten (NBT)	□ P	artial Profici	iency
# Questions: 5			□ P	roficiency	·
				Aligned	Mastery
CCRS Category	TABE Category		Emphasis	CCRS	Date
Generalize Place Value Understanding	Understand place	 Recognize that in a multi-digit whole number, a digit in one place represents ten times what it represents in the place to its right. 	Medium	4.NBT.1	
Numbers	value	 Use place value understanding to round multi-digit whole numbers to any place. 	Low	4.NBT.3	
Use Place Value	Perform Multi-digit	Create & use multiple representations of addition & subtraction of multi-digit numbers, including those with more than 3 digits, based on place value & connect these representations to the standard algorithms (especially where regrouping is required).	Low	4.NBT.4	
Properties of Operations to Perform Multi-digit Arithmetic	Arithmetic	Multiply a whole number of up to 4 digits by a one- digit whole number, & multiply 2 two-digit numbers, using strategies based on place value & properties of operations. Illustrate & explain calculation by using equations, rectangular arrays, &/or area models.	Low	4.NBT.5	
	Find quotients and remainders	Use various strategies to divide two-, three-, and four- digit numbers by one- and two-digit numbers	Low	4.NBT.6	
		Compare the values of digits in multi-digit numbers and observing patterns			
	Understand place value	operations to add & subtract decimals to hundredths place			
		Create & use multiple representations of multi-digit decimals based on place value.	Madium		
Understand the Place Value System		Create & use models for decimals & use properties of operations to multiply & divide decimals to hundredths place		5.1001.30	
	Understand decimals	Create models of decimals and use decimal notation			
		Examine relationships between decimals, fractions, & whole numbers			
	Compare & compose tens	Compare decimals to the thousandths place	Medium	5.NBT.3b	
	Round	Round multi-digit numbers to the thousands and ten thousands places and examine the values of the digits in each place	Low	5.NBT.4	



DOMAIN: Number & Operations in Base Tencontinued						
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
Perform Operations with Multi-digit Whole Numbers & with Decimals to Hundredths	Add whole numbers	 Fluently multiply multi-digit whole numbers using the standard algorithm. 	Low	5.NBT.5		
		Use various strategies for adding numbers with up to four digits	Low 5			
		Use various strategies for adding numbers, including decimals, with up to six digits		ow 5.NBT.7		
	Multiply whole	Use various strategies to multiply three- and four-digit numbers by one-digit numbers				
	numbers	Use various strategies to multiply two-, three-, and four- digit numbers by one-, two-, and three-digit numbers				

DOMAIN: Number & Operations - Fractions (20%) SCORED PROFICIENCY: On-Proficiency					
CATEGORY: Nun # Questions: 7	nber & Operations –	Fractions (NF)		artial Profici Proficiency	ency
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Extend Understanding of Fraction Equivalence & Ordering	Evaluate fractions	➡ Use multiple representations to create equivalent fractions, especially with denominators other than 1, 2, 3, 4, 6, and 8	Low	4.NF.1	
		 Compose and decompose fractions using addition and subtraction 	Medium	4.NF.3a	
Build Fractions from	Add fractions	Solve simple, one-step, real-world problems involving addition and subtraction of fractions with the same denominators	Medium	4.NF.3b 4.NF.3c 4.NF.3d	
Unit Fractions by Applying & Extending Previous	Multiply fractions	• Understand a fraction a/b as a multiple of 1/b. For example, use a visual fraction model to represent 5/4 as the product $5 \times (1/4)$, recording the conclusion by the equation $5/4 = 5 \times (1/4)$.	Medium	4.NF.4a	
Operations on Whole Numbers		Express repeated addition of unit fractions as multipli- cation expressions (e.g., $1/5 + 1/5 + 1/5 = 3 \times 1/5 = 3/5$)	Medium	4.NF.4b	
		• Understand a fraction a/b as a multiple of 1/b. For example, use a visual fraction model to represent 5/4 as the product $5 \times (1/4)$, recording the conclusion by the equation $5/4 = 5 \times (1/4)$.	Medium	4.NF.4c	
Understand Decimal Notation for	Understand	Use visual representations to compare decimals to the hundredths place	Medium	4.NF.7	
Fractions, & Compare Decimal Fractions	decimals	Use visual representations to create models of decimals and connect these to fractions			
Use Equivalent Fractions as Strategy to Add & Subtract Fractions	Add fractions	Solve simple, one-step, real-world problems involving addition & subtraction of fractions with different denominators	Low	5.NF.2	
Apply & Extend		 Apply and extend previous understandings of multiplication to multiply a fraction or whole number by a fraction. 	Medium	5.NF.4	
Previous Understanding of Multiplication & Division to Multiply & Divide Fractions	Multiply fractions	➡ Explaining why multiplying given number by a fraction >1 results in product >given number (recognizing multiplication by whole numbers >1 as familiar case); explaining why multiplying given number by fraction <1 results in product smaller than given number; & relating principle of fraction equivalence a/b - (n X a)/(n x b) to effect of multiplying a/b by 1.	Low	5.NF.5b	



DOMAIN: Number & Operations Fractionscontinued						
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
		Express the division of two whole numbers as a fraction in a real-world context	Low	5.NF.3		
	Divide fractions	Use visual representations to show division of a unit fraction by a whole number	Medium	5 NE 7b		
		Use visual representations to show division of a whole number by a unit fraction	Wedduni	5.NF.70		
Apply & Extend Previous Understanding of	Add fractions Multiply fractions Divide fractions	Solve simple, one-step, real-world problems involving addition or subtraction of fractions with different denominators or multiplication or division involving a unit fraction	Low Low Medium	5.NF.2 5.NF.6 5.NF.7		
Division to Multiply & Divide Fractions		Solve real-world problems involving addition, subtraction, multiplication, or division of fractions with different denominators	Low Medium Low	5.NF.2 4.NF.4b 5.NF.3		
	Evaluate fractions	Reason about the size of a product in relation to one of its factors given information about the other factor (e.g., fraction greater than, equal to, or less than 1)	Medium	5.NF.7a		
		 Interpret division of a unit fraction by a non-zero whole number, and compute such quotients. 				
		Solve real world problems involving division of unit fractions by non-zero whole numbers & division of whole numbers by unit fractions, e.g., by using visual fraction models & equations to represent the problem.	Medium	5.NF.7c		

DOMAIN: Operations & Algebraic Thinking (12%) SCORED PROFICIENCY: Non-Proficiency CATEGORY: Operations & Algebraic Thinking (OA) Partial Proficiency # Questions: 4 Proficiency					ncy ency
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
	Multiply whole numbers	Use expressions and equations to represent multiplicative relationships expressed in words	Medium	4.0A.1	
Use the Four Operations with Whole Numbers to Solve Problems	Apply properties of operations: multiplication and division	Create, compare, & analyze multiple solution strategies & representations to investigate the relationship between multiplication & division of whole numbers	Medium	4.OA.2	
	Evaluate expressions	Solve multi-step, real-world problems involving addition, subtraction, multiplication, &/or division of whole numbers using visual representations to show process	Low 4.0	Low 4.OA.3	
		Write and use two-step equations involving addition, subtraction, multiplication, division, and grouping symbols that represent real-world situations			
Gain Familiarity with Factors & Multiples	Understand prime & composite numbers	Identify prime and composite numbers	Low	4.OA.4	
Generate & Analyze	Understand and	Create & analyze number patterns with addition rules to investigate how they relate to multiplication & division Create number patterns with addition rules to	Low		
Generate & Analyze Patterns	apply pattern rules	investigate how they relate to multiplication & division Investigate patterns and properties of prime and composite numbers		4.OA.5	



DOMAIN: Operations & Algebraic Thinkingcontinued							
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
	Evaluate expressions	Solve multi-step equations involving addition, subtraction, multiplication, division, and grouping symbols without context	Low	5.0A.1			
Write & Interpret		Write and solve expressions and equations to represent real-world situations					
Numerical Expressions		Write and solve multi-step, real-world problems involving addition, subtraction, multiplication, division, and grouping symbols					
		Write multi-step equations with rational numbers involving addition, subtraction, multiplication, division, and grouping symbols to represent real-world situations and use them to solve problems					

DOMAIN: Geometry (10%) CATEGORY: Geometry (G) # Questions: 4		SCORED PROFICIENCY: Non-Proficiency Partial Proficiency Proficiency			
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Draw & Identify Lines & Angles & Classify Shapes by	Know geometric shapes, figures, and	Recognize points, lines, line segments, and angles and their relationships to each other (e.g., a point lies on a line) when presented in polygons and diagrams Recognize points, lines, line segments, angles, and parallel and perpendicular lines in the coordinate plane	Medium	4.G.1	
Properties of their Lines & Angles	attributes	Recognize points, lines, line segments, angles, and parallel and perpendicular lines in polygons and in diagrams other than those of polygons			
Graph Points on the Coordinate Plane to Solve Real-world & Mathematical Problems	Know coordinate values and grid quadrants	Identify coordinates of points & plot points with whole number coordinates in 1 st quadrant of coordinate plane Name parts of ordered pairs and what they describe (e.g., x-coordinate, y-coordinate) Plot points and draw polygons with integer coordinates in the coordinate plane Draw polygons with vertices at whole number coordinates in the coordinate plane	- Low	5.G.1	
Classify Two- dimensional Figures into Categories Based on their Properties	Know geometric shapes, figures, and attributes	Distinguish common and non-common attributes of pairs or groups of shapes Distinguish common and non-common attributes of pairs or groups of shapes using pictures, diagrams, and words Explore the effects of simple transformations (90 or 180 degree rotations, reflections, and translations) on common plane figures	Low	5.G.3	
Solve Real-world & Mathematical Problems Involving Area, Surface Area, & Volume		Recognize and use right triangles drawn in the coordinate plane to solve problems Identify and create nets for given prisms and pyramids	Low	6.G.4	



DOMAIN: Me	DOMAIN: Measurement & Data (15%) SCORED PROFICIENCY: Non-Proficiency				
CATEGORY: Me	asurement & Data (N	D)	🗆 Pa	rtial Proficie	ency
# Questions: 6			∐ Pr	oficiency	
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Solve Problems Involving Measurement & Conversion of Measurements from a Large Unit to a Smaller Unit	Solve Problems Involving Measurement & Conversion of Measurements from a Large Unit to a Smaller Unit		N/A	4.MD.3	
	Calculate and interpret volume	An angle that turns through <i>n</i> one-degree angles is said to have an angle measure of <i>n</i> degrees.	Low	4.MD.5	
Geometric Measurement: Understanding		 Extend the use of measuring tools to include measuring angles with protractors Measure angles to the nearest degree using a Protractor and create angles with given measures 	Medium	4.MD.6	
Concepts of Angle & Measure Angles	measure angles	y and angles Use the properties of angles to write & solve equations in one variable to find missing angle measures in diagrams Medium 4.MD.	4.MD.7		
		angles to find missing angle measures in diagrams			
Convert Like Meas. Units Within a Given Measurement Sys.	Converting units of measure	Convert from larger unit of measure to smaller unit of measure	Medium	5.MD.1	
	Understand line plots Solve problems using scaled bar graph	Use line plots to solve simple addition & subtraction problems		5.MD.2	
Represent & Interpret Data		Use line plots to solve multi-step addition, subtraction, multiplication, and division problems Create line plots from given data sets and explain simple characteristics	Low		
		✤ Use visual representations of arithmetic operations to bridge the concrete to the abstract (e.g., number line diagrams, area models, etc.)			
		Extend the idea of using unit squares to find areas of rectangles to using unit cubes to find volumes of rectangular prisms	Low	5.MD.4	
Geometric Measurement:		Find volumes of rectangular prisms by counting unit cubes & multiplying side lengths (using volume formula)	Medium	5.MD.5a	
Understand Concepts of Volume	Calculate and	Find the missing dimension of a rectangular prism when given the other dimensions and the volume	Medium	5.MD.5b	
and Relate Volume	interpret volume	Create rectangular prisms with different dimensions and volumes that are the same		5.1010.50	
to Addition		Recognize volume as additive. Find volumes of solid figures composed of two non-overlapping right rectangular prisms by adding the volumes of the non- overlapping parts, applying this technique to solve real world problems	Medium	5.MD.5c	



DOMAIN: Exp	DOMAIN: Expressions & Equations (15%) SCORED PROFICIENCY: Non-Proficiency						
CATEGORY: Exp	ressions & Equation	s (EE)	🗆 Pa	rtial Proficie	ency		
# Questions: 4			⊔ Pr	oficiency			
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
Annly & Evtend	Interpret linear & quadratic equations, expressions, & functions	Solve one- and two-step equations involving addition, subtraction, multiplication, and/or division of whole numbers while using visual representations to show the process Solve 1- and 2-step equations involving addition,	Low	6.EE.2a			
Previous Understandings of Arithmetic to	and inequalities	subtraction, multiplication, &/or division of whole numbers using visual representations to show process Write simple expressions and equations to represent real-world situations					
Algebraic Expressions	expressions	Identify and name parts of expressions and equations (e.g., terms, coefficient, variable, etc.)	Low	6.EE.2b			
		 Apply the properties of operations to generate equivalent expressions. 	Low	6.EE.3			
	Apply properties of operations	 Identify when two expressions are equivalent (i.e., when the two expressions name the same number regardless of which value is substituted into them). 	Low	6.EE.4			
	Evaluate equations and inequalities	Use properties of addition and multiplication to justify steps in solving an equation Write & solve multi-step equations involving addition, subtraction, multiplication, division, the distributive property, & exponents (squares & cubes) w rational numbers	Low	6.EE.5			
Reason About & Solve One-Variable	Evaluate expressions	Solve multi-step equations involving addition, subtraction, multiplication, & division of rational numbers Write & solve expressions & equations to represent verbal descriptions (e.g., product of twice a number, n,					
Equations & Inequalities		and 6) and real-world situations Write and solve expressions and equations involving the distributive property or combining like terms	Low	6.EE.6			
	Evaluate equations and inequalities	Use inverse operations to show steps in solving equations	Low	6.EE.7			
		➡ Write an inequality of the form x > c or x < c to represent a constraint or condition in a real-world or mathematical problem. Recognize that inequalities of the form x > c or x < c have infinitely many solutions; represent solutions of such inequalities on number line diagrams.	Low	6.EE.8			
Represent & Analyze Quantitative Relationships B/T Dependent & Independent Variables	Write equations and inequalities	◆ Use variables to represent 2 quantities in a real-world problem that change in relationship to one another; write an equation to express 1 quantity, thought of as the dependent variable, in terms of the other quantity, thought of as the independent variable. Analyze 1 relationship between dependent & independent variables using graphs & tables, & relate these to the equation.	Low	6.EE.9			



DOMAIN: Statistics & Probabi CATEGORY: Statistics & Probability # Questions: No Questions Identified	lity (5%) SCORED PROFICIEN (SP)	CY: □ No □ Pa □ Pr	on-Proficien artial Proficie oficiency	cy ency		
This Domain has no questions represented on the Mathematics TABE Level M test; however, it has been included since it is identified as a tested domain in the TABE Blue Prints.						
CCRS Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
Develop Understanding of Statistical	Recognize a statistical question as one that anticipates variability in the data related to the question and accounts for it in the answers.	Medium	6.SP.1			
Variability	Understand that a set of data collected to answer a statistical question has a distribution which can be described by its center, spread, and overall shape.	Low	6.SP.2			
Summarize & Describe Distributions	 Display numerical data in plots on a number line, including dot plots, histograms, and box plots. 	Low	6.SP.4			

DOMAIN: Ratios & Proportional Relationships (3%) CATEGORY: Ratios & Proportional Relationships (RP) # Questions: No Questions Identified		SCORED PROFICIEN	I CY: □ No □ Pa □ Pre	on-Proficiend rtial Proficie oficiency	cy ency	
	This Domain has no questions represented on the Mathematics TABE Level M test; however, it has been included since it is identified as a tested domain in the TABE Blue Prints.					
CCRS Category		TABE S	kill	Emphasis	Aligned CCRS	Mastery Date
Understand Ratio Concepts & Use Ratio Reasoning to Solve Problems		 Understand concept of a uni with a ratio a:b with b not equa language in the context of a rat 	t rate a/b associated I to 0, and use rate io relationship.	Medium	6.RP.2	

DOMAIN:The Number System (5%)SCORED PROFICIENCCATEGORY:The Number System (NS)# Questions:No Questions Identified		CY: Non-Proficiency Partial Proficiency Proficiency					
	This Domaiı however, it has b	n has no questions represented on the Mathematics TABE Le een included since it is identified as a tested domain in the T	vel M test; ABE Blue Prints.				
CCRS Category	CCRS Category TABE Category TABE Category TABE Skill Aligned Mastery						
Apply & Extend Previous Understandings of Multiplication & Division to Divide Fractions by Fractions	Divide fractions	Interpret and compute quotients of fractions, and solve word problems involving division of fractions by fractions, e.g., by using visual fraction models and equations to represent the problem.	Low	6.NS.1			
Compute Fluently		 Fluently divide multi-digit numbers using the standard algorithm 	Medium	6.NS.2			
with Multi-digit Numbers & Find Common Factors & Multiples	Find common factors & multiples	 Find greatest common factor of 2 whole numbers ≤ 100 & least common multiple of 2 whole numbers ≤12. Use distributive property to express a sum of 2 whole numbers 1 - 100 with a common factor as a multiple of a sum of 2 whole numbers with no common factor. 	Low	6.NS.4			

+ Standard is listed on TABE Level E Crosswalks or on TABE Level M Blue Prints; however, it does NOT appear on the Student Individual Profile Report.



Correlated CCR Anchor/Substandards & Descriptions

		Number & Operations in Base Ten
	4.NBT.1	• Recognize that in a multi-digit whole number, a digit in one place represents ten times what it represents in the place to its right. For
		example, recognize that $700 \div 70 = 10$ by applying concepts of place value and division.
	4.INBT.3	 Use place value understanding to round multi-digit whole numbers to any place. Election of a subtract multi-digit whole numbers wind the step dead election.
	4.NBT.4	Fluently add and subtract multi-digit whole numbers using the standard algorithm.
	4.NB1.5	 Multiply a whole number of up to four digits by a one-digit whole number, and multiply two two-digit numbers, using strategies based on place uplace and the properties of energiating the properties of the calculation by using couplings, restangular areas models.
п		place value and the properties of operations, index are and explain the calculation by using equations, rectangular an ass, and/or area models.
-	4.ND1.0	the properties of operations, and/or the relationship between multiplication and division. Illustrate and explain the calculation by using
		equations, rectangular arrays, and/or area models.
	5.NBT.3	Read, write, and compare decimals to thousandths.
	5.NBT.3a	Read and write decimals to thousandths using base-ten numerals, number names, and expanded form, e.g., $347.392 = 3 \times 100 + 4 \times 10 + 7 \times 1$
		+ 3 × (1/10) + 9 × (1/100) + 2 × (1/1000).
	5.NBT.3b	Compare 2 decimals to thousandths based on meanings of digits in each place, using >, =, and < symbols to record results of comparisons.
	5.NBT.4	Use place value understanding to round decimals to any place.
	5.NBT.5	Fluently multiply multi-digit whole numbers using the standard algorithm
	5.NBT.7	Add, subtract, multiply, & divide decimals to hundredths, using concrete models or drawings & strategies based on place value, properties
		of operations, &/or the relationship between addition & subtraction; relate the strategy to a written method & explain the reasoning used.
_		Number & Operations - Fractions
Ц	4.NF.1	Explain why fraction a/b is equivalent to a fraction (n × a)/(n × b) by using visual fraction models, with attention to how the number & size
		of the parts differ even though 2 fractions themselves are the same size. Use this principle to recognize & generate equivalent fractions.
	4.INF.3	 Understand a fraction a/b with a > 1 as a sum of fractions 1/b Understand a difficient and subtractions of fractions as is initial and constanting parts referring to the same whole
	4.INF.3d 4 NF 3b	 Decompose a fraction into submaction of fractions w/ came denominator in more than one way, recording each decomposition by an equation
-	4.101.50	Instity decompositions, e.g., by using visual fraction model. $(3/8 = 1/8 + 1/8 + 1/8 + 1/8 + 2/8 = 1/8 + 2/8 = 1 + 1 + 1/8 = 8/8 + 8/8 + 1/8)$
	4.NF.3c	♣ Add and subtract mixed numbers with like denominators, e.g., by replacing each mixed number with an equivalent fraction, and/or by
		using properties of operations and the relationship between addition and subtraction.
	4.NF.3d	+ Solve word problems involving addition and subtraction of fractions referring to the same whole and having like denominators, e.g., by
_		using visual fraction models and equations to represent the problem.
	4.NF.4	Apply and extend previous understandings of multiplication to multiply a fraction by a whole number.
Ц	4.NF.4a	Understand a fraction a/b as a multiple of 1/b. For example, use a visual fraction model to represent 5/4 as the product 5 × (1/4), recording
_		the conclusion by the equation $5/4 = 5 \times (1/4)$.
	4.NF.4D	Understand a multiple of a/b as a multiple of 1/b, and use this understanding to multiply a fraction by a whole number. For example, use a visual fraction model to express 2 x (2/b) as 6 x (1/5) recognizing this product as 6/5. (In general, $p \ge (2/b) = (p \ge 2)/b$)
	4.NF.4c	Solve word problems involving multiplication of a fraction by a whole number, e.g., by using visual fraction models & equations to
_		represent the problem. For example, if each person at a party will eat 3/8 of a pound of roast beef, & there will be 5 people at the party, how
		many pounds of roast beef will be needed? Between what 2 whole numbers does your answer lie?
	4.NF.7	Compare two decimals to hundredths by reasoning about their size. Recognize that comparisons are valid only when the two decimals
		refer to the same whole. Record the results of comparisons with the symbols >, =, or
	5.NF.2	Solve word problems involving addition & subtraction of fractions referring to same whole, including cases of unlike denominators, e.g., by
		using visual fraction models or equations to represent the problem. Use benchmark fractions & number sense of fractions to estimate
		mentally & assess reasonableness of answers. For example, recognize an incorrect result $2/5 + 1/2 = 3/7$, by observing that $3/7 < 1/2$.
	5.NF.3	numbers leading to answers in the form of fractions or mixed numbers e^{-a} , by using visual fraction models or equations to represent the
		problem. For example, interpret 3/4 as the result of dividing 3 by 4, noting that 3/4 multiplied by 4 equals 3, and that when 3 wholes are
		shared equally among 4 people each person has a share of size 3/4. If 9 people want to share a 50-pound sack of rice equally by weight,
		how many pounds of rice should each person get? Between what two whole numbers does your answer lie?
	5.NF.4	+ Apply and extend previous understandings of multiplication to multiply a fraction or whole number by a fraction.
	5.NF.5	Interpret multiplication as scaling (resizing), by:
		A. Comparing size of a product to size of one factor on the basis of the size of the other factor, without performing indicated multiplication.
		B. Explaining why multiplying a given number by a fraction > 1 results in a product greater than the given number (recognizing multiplication
		by whole numbers > 1 as a familiar case); explaining why multiplying a given number by a fraction < 1 results in a product smaller than the
		given number; and relating the principle of fraction equivalence $a/b = (n \times a)/(n \times b)$ to the effect of multiplying a/b by 1.
	J.INF.0	represent the problem.
	5.NF.7	Apply and extend previous understandings of division to divide unit fractions by whole numbers and whole numbers by unit fractions.

- 5.NF.7a
 Interpret division of a unit fraction by a non-zero whole number, and compute such quotients. For example, create a story context for (1/3) ÷ 4, and use a visual fraction model to show the quotient. Use the relationship between multiplication and division to explain that (1/3) ÷ 4 = 1/12 because (1/12) × 4 = 1/3.
- □ 5.NF.7b Interpret division of a whole number by unit fraction, & compute such quotients. For example, create a story context for 4 ÷ (1/5), & use visual fraction model to show quotient. Use the relationship between multiplication & division to explain that 4 ÷ (1/5) = 20 because 20 × (1/5) = 4.
 □ 5.NF.7c + Solve real world problems involving division of unit fractions by non-zero whole numbers and division of whole numbers by unit fractions, a problem involving division of unit fractions.
 - e.g., by using visual fraction models and equations to represent the problem. For example, how much chocolate will each person get if 3 people share 1/2 lb of chocolate equally? How many 1/3-cup servings are in 2 cups of raisins?

Operations & Algebraic Thinking

4.0A.1 Interpret a multiplication equation as a comparison, e.g., interpret 35 = 5 × 7 as a statement that 35 is 5 times as many as 7 and 7 times as many as 5. Represent verbal statements of multiplicative comparisons as multiplication equations. 4.0A.2 Multiply or divide to solve word problems involving multiplicative comparison, e.g., by using drawings and equations with a symbol for the unknown number to represent the problem, distinguishing multiplicative comparison from additive comparison. 4.0A.3 Solve multistep word problems posed with whole numbers and having whole-number answers using the four operations, including problems in which remainders must be interpreted. Represent these problems using equations with a letter standing for the unknown quantity. Assess the reasonableness of answers using mental computation and estimation strategies including rounding. 4.0A.4 Find all factor pairs for a whole number in the range 1–100. Recognize that a whole number is a multiple of each of its factors. Determine whether a given whole number in the range 1-100 is a multiple of a given one-digit number. Determine whether a given whole number in the range 1–100 is prime or composite. Generate a number or shape pattern that follows a given rule. Identify apparent features of the pattern that were not explicit in the rule 4.0A.5 itself. For example, given the rule "Add 3" and the starting number 1, generate terms in the resulting sequence and observe that the terms appear to alternate between odd and even numbers. Explain informally why the numbers will continue to alternate in this way. 5.0A.1 Use parentheses, brackets, or braces in numerical expressions, and evaluate expressions with these symbols. Geometry Draw points, lines, line segments, rays, angles (right, acute, obtuse), and perpendicular and parallel lines. Identify these in two-4.G.1 dimensional figures. Use a pair of perpendicular number lines, called axes, to define a coordinate system, with the intersection of the lines (the origin) 5.G.1 arranged to coincide with the 0 on each line and a given point in the plane located by using an ordered pair of numbers, called its coordinates. Understand that the first number indicates how far to travel from the origin in the direction of one axis, and the second number indicates how far to travel in the direction of the second axis, with the convention that the names of the two axes and the coordinates correspond (e.g., x-axis and x-coordinate, y-axis and y-coordinate). 5.G.3 Understand that attributes belonging to a category of two-dimensional figures also belong to all subcategories of that category. For example, all rectangles have four right angles and squares are rectangles, so all squares have four right angles. 6.G.4 Represent three-dimensional figures using nets made up of rectangles and triangles, and use the nets to find the surface area of these figures. Apply these techniques in the context of solving real-world and mathematical problems. **Measurement & Data** Apply the area & perimeter formulas for rectangles in real world and mathematical problems. For example, find the width of a rectangular 4.MD.3 room given the area of the flooring and the length, by viewing the area formula as a multiplication equation with an unknown factor. 4.MD.5 + Recognize angles as geometric shapes formed wherever 2 rays share a common endpoint, & understand concepts of angle measurement: A. An angle is measured w/ reference to a circle w/ its center at common endpoint of rays, by considering fraction of circular arc b/t points where 2 rays intersect circle. An angle that turns through 1/360 of a circle is called a "one-degree angle," & can be used to measure angles. B. An angle that turns through *n* one-degree angles is said to have an angle measure of *n* degrees. П 4.MD.6 Measure angles in whole-number degrees using a protractor. Sketch angles of specified measure. Recognize angle measure as additive. When an angle is decomposed into non-overlapping parts, the angle measure of the whole is the 4.MD.7 sum of the angle measures of the parts. Solve addition and subtraction problems to find unknown angles on a diagram in real world and mathematical problems, e.g., by using an equation with a symbol for the unknown angle measure. 5.MD.1 Convert among different-sized standard measurement units within a given measurement system (e.g., convert 5 cm to 0.05 m), and use these conversions in solving multi-step, real world problems. Make a line plot to display a data set of measurements in fractions of a unit (1/2, 1/4, 1/8). Use operations on fractions for this grade to 5.MD.2 solve problems involving information presented in line plots. For example, given different measurements of liquid in identical beakers, find the amount of liquid each beaker would contain if the total amount in all the beakers were redistributed equally. 5.MD.4 Measure volumes by counting unit cubes, using cubic cm, cubic in, cubic ft, and improvised units 5.MD.5 Relate volume to the operations of multiplication and addition and solve real world and mathematical problems involving volume. п 5.MD.5a Find the volume of a right rectangular prism with whole-number side lengths by packing it with unit cubes, and show that the volume is the same as would be found by multiplying the edge lengths, equivalently by multiplying the height by the area of the base. Represent threefold whole number products as volumes, e.g., to represent the associative property of multiplication. 5.MD.5b Apply the formulas V = I × w × h and V = b × h for rectangular prisms to find volumes of right rectangular prisms with whole-number edge lengths in the context of solving real world and mathematical problems. 5.MD.5c 🕈 Recognize volume as additive. Find volumes of solid figures composed of two non-overlapping right rectangular prisms by adding the volumes of the non-overlapping parts, applying this technique to solve real world problems

		Expressions & Equations
	6.EE.2	Write, read, and evaluate expressions in which letters stand for numbers.
	6.EE.2a	Write expressions that record operations with numbers and with letters standing for numbers. For example, express the calculation "Subtract y from 5" as 5 – y.
	6.EE.2b	Identify parts of an expression using mathematical terms (sum, term, product, factor, quotient, coefficient); view one or more parts of an expression as a single entity. For example, describe the expression 2 (8 + 7) as a product of two factors; view (8 + 7) as both a single entity and a sum of two terms.
	6.EE.3	♣ Apply properties of operations to generate equivalent expressions. For example, apply distributive property to expression 3 (2 + x) to produce equivalent expression 6 + 3x; apply distributive property to expression 24x + 18y to produce the equivalent expression 6 (4x + 3y); apply properties of operations to y + y + y to produce equivalent expression 3y.
	6.EE.4	Identify when two expressions are equivalent (i.e., when the two expressions name the same number regardless of which value is substituted into them). For example, the expressions y + y + y and 3y are equivalent because they name the same number regardless of which number y stands for.
	6.EE.5	Understand solving an equation or inequality as a process of answering a question: which values from a specified set, if any, make the equation or inequality true? Use substitution to determine whether given number in a specified set makes an equation or inequality true.
	6.EE.6	Use variables to represent numbers and write expressions when solving a real-world or mathematical problem; understand that a variable can represent an unknown number, or, depending on the purpose at hand, any number in a specified set.
	6.EE.7	Solve real-world and mathematical problems by writing and solving equations of the form $x + p = q$ and $px = q$ for cases in which p, q and x are all nonnegative rational numbers.
	6.EE.8	H Write an inequality of the form x > c or x < c to represent a constraint or condition in a real-world or mathematical problem. Recognize that inequalities of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: represent solutions of such inequalities on number line diagrams that inequality of the form x > c or x < c have infinitely many solutions: the form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely many solutions. The form x > c or x < c have infinitely m
	6.EE.9	➡ Use variables to represent two quantities in a real-world problem that change in relationship to one another; write an equation to express one quantity, thought of as the dependent variable, in terms of the other quantity, thought of as the independent variable. Analyze the relationship between the dependent & independent variables using graphs & tables, & relate these to the equation. For example, in a problem involving motion at constant speed, list & graph ordered pairs of distances & times, & write the equation d = 65t to represent the relationship between distance and time.
		Statistics & Probability
	6.SP.1	Recognize a statistical question as one that anticipates variability in the data related to the question and accounts for it in the answers. For example, "how old am i?" Is not a statistical question, but "how old are the students in my school?" Is a statistical question because one anticipates variability in students' ages.
	6.SP.2	• Understand that a set of data collected to answer a statistical question has a distribution which can be described by its center, spread, and overall shape.
	6.SP.4	+ Display numerical data in plots on a number line, including dot plots, histograms, and box plots.
		Ratios & Proportional Relationships
	6.RP.2	
		The Number System
	6.NS.1	• Interpret and compute quotients of fractions, and solve word problems involving division of fractions by fractions, e.g., by using visual fraction models and equations to represent the problem. For example, create a story context for $(2/3) \div (3/4)$ and use a visual fraction model to show the quotient; use the relationship between multiplication and division to explain that $(2/3) \div (3/4) = 8/9$ because $3/4$ of $8/9$ is $2/3$. (in general, $(a/b) \div (c/d) = ad/bc$.) How much chocolate will each person get if 3 people share $1/2$ lb of chocolate equally? How many $3/4$ -cup servings are in $2/3$ of a cup of yogurt? How wide is a rectangular strip of land with length $3/4$ mi and area $1/2$ square mi?
	6.NS.2	Fluently divide multi-digit numbers using the standard algorithm.
	6.NS.4	➡ Find the greatest common factor of two whole numbers less than or equal to 100 and the least common multiple of two whole numbers less than or equal to 12. Use the distributive property to express a sum of two whole numbers 1–100 with a common factor as a multiple of a sum of two whole numbers with no common factor. For example, express 36 + 8 as 4 (9 + 2).
This II	SP contains in	formation obtained from the source documents listed below.

TABE Test for Adult Assessment: Blue Prints

https://tabetest.com/resources-2/testing-information/blue-prints/

TABE Test for Adult Assessment: Crosswalks https://tabetest.com /PDFs/TABE_11_12_Skills_Crosswalks_Mathematics.pdf

TABE Test for Adult Assessment: TABE 11/12 Individual Profile Report https://tabe.drcedirect.com/default.aspx?leapp=Reports&leview=DynamicStudentReports

Pimentel, Susan. "College and Career Readiness Standards for Adult Education." Office of Career, Technical, and Adult Education, U.S. Department of Education, 2013, lincs.ed.gov/publications/pdf/CCRStandardsAdultEd.pdf.



STUDENT:		I.D.:	
TEACHER:	COURSE:	DATE:	

CURRENT TESTING I	NFORMATION:	POST-TESTING INFORMATION:	
Test Date:		TABE Level: D	
Current Test Level:	□M □D	CCR Level: D	
Current Test Form:		Grade Level Correlation: +6, 7-8	
NRS Level & Scale Score:	□3 (496-536) □4 (537 -595)		

DOMAIN: Geometry (18%)		SCORED PROFICIENCY: Non-Proficiency				
CATEGORY: Geo	ometry (G)	Partial Proficiency				
# Questions: 5		Proficiency				
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
Draw, Construct, & Describe Geometrical Figures & Describe the Relationships Between Them	Find area, volume,	Plot points and draw polygons with integer coordinates in the coordinate plane	Low	7.G.1		
Solve Real-life &	figures	Use the formulas for the area and circumference of circles to solve problems	Low	7.G.4		
Mathematical Problems Involving Angle, Measure, Area, Surface Area, &		Solve problems involving adding and subtracting areas of rectangles Solve problems involving adding and subtracting areas of rectangles with fractional side lengths	Low	7.G.6		
Volume	Identify and measure angles	Write and solve simple, single-step equations to find unknown angle measures in given diagrams	Low	7.G.5		
Understand Congruence & Similarity Using	Understand transformations	Explore the effects of simple transformations (90 or 180 degree rotations, reflections, and translations) on common plane figures	Medium	8.G.2		
Physical Models, Transparencies, or Geometry Software	between figures	Explore the effects of simple series of transformations on common figures on and off the coordinate plane	Low	8.G.4		
Understand and		Use the Pythagorean theorem to find missing side lengths of right triangles both on and off the coordinate plane	Low	8.G.7		
Apply the Pythagorean Theorem	Apply Pythagorean theorem	Recognize when to use (and use) the Pythagorean theorem to find the lengths of line segments on the coordinate plane Recognize and use right triangles drawn in the coordinate plane to solve problems	Low	8.G.8		



DOMAIN: Expressions & Equations (18%) SCORED PROFICIENCY: Non-Proficiency CATEGORY: Expressions & Equations (FE) Destion Proficiency					
# Questions: 7		3 (LL)			
				Aligned	Mastery
CCRS Category	TABE Category	TABE Skill	Emphasis	CCRS	Date
Use Properties of Operations to Generate Equivalent Expressions		Understand that rewriting an expression in different forms in a problem context can shed light on the problem and how the quantities in it are related.	Low	7.EE.2	
	Evaluate expressions	Use properties of exponents to simplify expressions with rational number exponents	Low	7.EE.3	
		steps in solving an equation			
		Write or solve expressions and equations involving the distributive property and combining like terms			
Solve Real-life & Mathematical		Write and solve linear equations and inequalities involving rational numbers in any form (e.g., fractions, decimals) and requiring the use of the distributive property and/or combining like terms	High	7.EE.4	
Problems Using Numerical &		Solve systems of linear equations and inequalities in multiple ways (e.g., graphing, substitution, etc.)	High	7.EE.4	
Algebraic Expressions & Equations	Interpret linear and quadratic equations, expressions, and functions	Create multiple representations of real-world situations modeled by linear equations (e.g., graphs, tables, verbal description) and use them to solve problems	High	7.EE.4	
1		Write linear equations to represent real-world situations Write linear equations involving rational numbers in any form (e.g., fractions, decimals) to represent real-world situations	High	7.EE.4a	
		Solve word problems leading to inequalities of the form px + q > r or px + q < r, where p, q, and r are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem.	High	7.EE.4b	
	Integer Exponents	Know and apply the properties of integer exponents to generate equivalent numerical expressions.	Low	8.EE.1	
Work with Badicals	Cube and Square roots	Solve equations involving square and cube roots of perfect squares and cubes	Medium	8.EE.2	
& Integer Exponents	Understand power	Express very large and very small numbers in scientific notation Solve problems involving addition, subtraction,	Low	8.EE.3	
		multiplication, or division of numbers expressed in scientific notation			
Understand the Connections		Identify graphs of linear equations, including those represented by equations and word descriptions of real- world situations			
Between Proportional Relationships, Lines, and Linear Equations	Interpret linear and quadratic	Create graphs of linear equations, including those represented by equations and word descriptions of real- world situations, using appropriate axis labels and scales	Low	8.EE.5	
	equations, expressions, and	Represent equations of lines by graphing them on the coordinate plane			
Analyze and Solve Linear Equations &	functions	Graph systems of linear equations and find the point of intersection to approximate the solution	Low	8.EE.8a	
Pairs of Simultaneous Linear Equations		Write and solve systems of equations to represent real- world situations	Low	8.EE.8c	



DOMAIN: Statistics & Probability (22%) SCORED PROFICIENCY: Non-Proficiency					
CATEGORY: Sta	tistics & Probability	(SP)	🗆 Pa	rtial Proficie	ency
# Questions: 7			🗆 Pr	oficiency	-
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
Summarize & Describe Distributions	Use measures of center & center variability	Find a measure of center & variability of a given data set	Low	6.SP.5d	
Use Random Sampling to Draw Inferences About a Population	Interpret data plots	Use data from a random sample to draw inferences about a population with an unknown characteristic of interest. Generate multiple samples (or simulated samples) of the same size to gauge the variation in estimates or predictions.	Low	7.SP.2	
Draw Informal Comparative Inferences About Two Populations	Use measures of center & center variability	Use measures of center and variability of given data sets to draw inferences Use measures of center & variability of given data sets, represented in multiple ways, to draw comparative	Medium	7.SP.4	
	Understand probability of chance	inferences Find the probability of a simple event	Medium	7.SP.5	
Investigate Chance	Develop a uniform or non-uniform probability model	 Use basic probability models to simulate events and generate random data (e.g., using spinners, rolling dice, flipping coins, etc.) 	Low	7.SP.7a	
Processes & Develop, Use, & Evaluate Probability Models	Draw inferences from random sample data	Use random data to approximate the probability of a change event	Low	7.SP.7b	
	Understand probability of compound events	Use basic probability models to simulate compound events and generate random data	Medium	7.SP.8a	
		Create multiple representations of sample spaces of compound events (e.g., lists, diagrams, simulation) and use them to find probabilities	Medium	7.SP.8b	
	Interpret data plots	Describe patterns of association between two quantities represented in scatter plots of bivariate data (e.g., linear, increasing, outliers, clustering, etc.)	Low	8.SP.1	
Investigate Patterns of Association in Bivariate Data	Interpret linear & quadratic equations, expressions, & functions	Create scatter plots for bivariate data sets & draw lines of best fit to model linear relationships between the variables	Low	8.SP.2	
	Interpret two-way table based on	Use the equation of a linear model to solve problems in the context of bivariate measurement data, interpreting the slope and intercept.	Low	8.SP.3	
	bivariate data	 Create and use information presented in two-way tables to solve simple problems 		8.SP.4	



DOMAIN: Rat CATEGORY: Ration # Questions: 4	tios & Proportional Relationships (10%) SCORED PROFICIENCY: Non-Proficiency ios & Proportional Relationships (RP) Partial Proficiency Proficiency					
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
Understand Ratio Concepts & Use Ratio	Evaluate proportional relationships	Use ratio language to describe a ratio relationship between two quantities Decide whether two quantities are in a proportional relationship (e.g., in a table or graph) Create tables, graphs, & equations to represent proportional relationships & use them to solve problems	Medium	6.RP.3		
Reasoning to Solve Problems		Plot pairs of values from tables on a coordinate grid Plot pairs of values from tables on a coordinate grid to represent real-world, proportional relationships Find missing values of tables with equivalent ratios	Medium	6.RP.3a		
	Equivalent ratios	Find missing values in tables that represent proportional relationships with context				
	Compute ratios	 Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other quantities measured in like or different units. 	Low	7.RP.1		
		Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios in a table or graphing on a coordinate plane and observing whether the graph is a straight line through the origin.	High	7.RP.2a		
Analyze Proportional Relationships & Use Them to Solve Real- world &		Identify the constant of proportionality (or unit rate) associated with ratios of whole numbers Identify the constant of proportionality (or unit rate) associated with ratios of whole numbers and fractions	High	7.RP.2b		
Mathematical		Represent proportional relationships by equations.	High	7.RP.2c		
Problems	Evaluato	Interpret the meaning of a point on the graph of a proportional relationship in context	High	7.RP.2d		
	proportional relationships	Use proportional relationships to solve simple problems (e.g., gratuities, fees, tax, commissions, etc.)		7.RP.3		
	relationships	Use proportional relationships to solve multi-step ratio & percent problems (e.g., simple interest, markups & mark- downs, percent increase & decrease, percent error, etc.)	Low			

DOMAIN: The Number System (21%) SCORED PROFICIENC CATEGORY: The Number System (NS) # Questions: 8			CY: ONON-Proficiency Partial Proficiency Proficiency		
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date
	Understand positive & negative numbers	Represent real-world situations with rational numbers Represent real-world situations with positive & negative integers	Medium	6.NS.5	
Apply & Extend		Identify and create multiple representations of positive and negative integers and rational numbers	Medium	6.NS.6a	
Previous Understandings of Numbers to the System of Rational		Understand signs of numbers in ordered pairs as indicating locations in quadrants of coordinate plane; recognize when 2 ordered pairs differ only by signs, locations of points are related by reflections across one or both axes.	Medium	6.NS.6b	
Numbers		Solve one-step problems involving operations w/ positive & neg. integers & represent operations on number line			
		Identify & represent rational numbers on number line	Medium	6.NS.6c	
		 Identify and represent positive and negative integers on a number line 			



DOMAIN: The Number Systemcontinued							
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
		 Interpret statements of inequality as stmts. about relative position of 2 numbers on a number line diagram. 	Medium	6.NS.7a			
Apply & Extend	Interpret absolute	 Write, interpret, and explain statements of order for rational numbers in real-world contexts. 	Medium	6.NS.7b			
Previous Understandings of	value	Identify and represent the absolute values and opposites of numbers on a number line	Medium	6.NS.7c			
Numbers to the System of Rational		 Distinguish comparisons of absolute value from statements about order. 	Medium	6.NS.7d			
Numbers	Know coordinate values & grid quadrants	Represent polygons with vertices at given coordinates on a coordinate grid		6.NS.8			
		Create polygons on the coordinate grid having specified characteristics (e.g., area, perimeter)	LOW				
Apply & Extend Previous Understandings of Operations w/	Evaluate equations _ and inequalities	Solve multi-step problems involving positive rational numbers	- Medium	7.NS.2			
Fractions to Add, Subtract, Multiply, & Divide Rational Numbers		Solve one-step problems, with and without context, involving operations with positive and negative integers					
Know That There Are Numbers That Are Not Rational, & Approximate Them by Rational Numbers	Evaluate rational and irrational numbers	Identify and represent approximations of irrational numbers on a number line	Low	8.NS.2			

DOMAIN: Fui	nctions (11%)	SCORED PROFICIEN	CY: 🗆 No	on-Proficien	су
CATEGORY: Functions (F)		🗆 Partial Proficiency			
# Questions: 4			🗆 Pr	oficiency	
				Aligned	Mastery
CCRS Category	TABE Category	TABE Skill	Emphasis	CCRS	Date
Define, Evaluate, &		Identify graphs of functions that are linear and nonlinear	Low	9 5 3	
Compare Functions		Identify equations of functions that are linear & nonlinear	LOW	0.1.5	
	Evaluate functions & functional s relationships	 Create input-output tables to represent functions 		8.F.4	
		Evaluate a linear function at a given value	- Medium		
		Identify and create the equation of a linear function represented by a table			
		Identify the intercepts of graphs of functions			
Use Functions to Model Relationships		Identify rate of change of a linear function represented by a table			
Between Quantities		Identify and create the equation of a linear function represented by a table			
		Write the equation of a linear function represented by a table or a graph			
		 Identify & create examples & nonexamples of functions 	High	8.F.5	



DOMAIN: Functions continued							
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date		
		Create and use graphs of linear functions to represent real-world situations		8.F.4			
	Interpret linear and quadratic equations, expressions, and functions	Create equations, tables, and graphs to represent linear functions with given rates of change	Medium				
Use Functions to		Use the equation or graph of a linear function to represent and solve real-world problems					
Model Relationships Between Quantities		Identify simple characteristics of different intervals of graphs of functions, with and without context	 High	8.F.5			
		 Identify simple characteristics of graphs of functions (e.g., increasing, linear, etc.) 					
		Use function notation and interpret statements that use function notation in context					

+ Standard is listed on TABE Level E Crosswalks or on TABE Level M Blue Prints; however, it does NOT appear on the Student Individual Profile Report.

Correlated CCR Anchor/Substandards & Descriptions

Geometry

7.G.1	Solve problems involving scale drawings of geometric figures, including computing actual lengths and areas from a scale drawing and reproducing a scale drawing at a different scale.
7.G.4	Know the formulas for the area and circumference of a circle and use them to solve problems; give an informal derivation of the relationship between the circumference and area of a circle.
7.G.5	Use facts about supplementary, complementary, vertical, and adjacent angles in a multi-step problem to write and solve simple equations for an unknown angle in a figure.
7.G.6	Solve real-world and mathematical problems involving area, volume and surface area of two- and three-dimensional objects composed of triangles, quadrilaterals, polygons, cubes, and right prisms.
8.G.2	Understand that a two-dimensional figure is congruent to another if the second can be obtained from the first by a sequence of rotations, reflections, and translations; given two congruent figures, describe a sequence that exhibits the congruence between them.
8.G.4	Understand that a 2-dimensional figure is similar to another if the second can be obtained from the first by a sequence of rotations, reflections, translations, & dilations; given two similar 2-dimensional figures, describe a sequence that exhibits similarity between them.
8.G.7	Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world & mathematical problems in two and three dimensions.
8.G.8	Apply the Pythagorean Theorem to find the distance between two points in a coordinate system.
	Expressions & Equations
7.EE.2	Understand that rewriting an expression in different forms in a problem context can shed light on the problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by 5%" is the same as "multiply by 1.05."
7 FF 3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any form (whole numbers

7.EE.3 Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations to calculate with numbers in any form; convert between forms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies. For example: If a woman making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2 inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a check on the exact computation.

7.EE.4 Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities.

- 7.EE.4a Solve word problems leading to equations of the form px + q = r and p(x + q) = r, where p, q, and r are specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an arithmetic solution, identifying the sequence of the operations used in each approach. For example, the perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?
- 7.EE.4b Solve word problems leading to inequalities of the form px + q > r or px + q < r, where p, q, and r are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem. For example: as a salesperson, you are paid \$50 per week plus \$3 per sale. This week you want your pay to be at least \$100. Write an inequality for the number of sales you need to make, and describe the solutions.</p>
- 8.EE.1
 Know and apply the properties of integer exponents to generate equivalent numerical expressions. For example, 32 × 3 (-5) = 3(-3) = (1/3)3 = 1/27.

- 8.EE.2 Use square root and cube root symbols to represent solutions to equations of the form x 2 = p and x 3 = p, where p is a positive rational number. Evaluate square roots of small perfect squares and cube roots of small perfect cubes. Know that v2 is irrational.
 8.EE.3 Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the other. For example, estimate the population of the United States as 3 × 108 and the population of the world as 7 × 109, and determine that the world population is more than 20 times larger.
- 8.EE.5 Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two different proportional relationships represented in different ways. For example, compare a distance-time graph to a distance-time equation to determine which of two moving objects has greater speed.
- Image: Section 1Analyze and solve pairs of simultaneous linear equations.
- 8.EE.8a
 Understand that solutions to a system of two linear equations in two variables correspond to points of intersection of their graphs, because points of intersection satisfy both equations simultaneously.
- 8.EE.8c Solve real-world and mathematical problems leading to two linear equations in two variables. For example, given coordinates for two pairs of points, determine whether the line through the first pair of points intersects the line through the second pair.

Statistics & Probability							
6.SP.5	Summarize numerical data sets in relation to their context, such as by: (see 6.SP.5d below)						
6.SP.5d	Relating the choice of measures of center and variability to the shape of the data distribution and the context in which the data were gathered.						
7.SP.2	• Use data from a random sample to draw inferences about a population with an unknown characteristic of interest. Generate multiple samples (or simulated samples) of the same size to gauge the variation in estimates or predictions. For example, estimate the mean word length in a book by randomly sampling words from the book; predict the winner of a school election based on randomly sampled survey data. Gauge how far off the estimate or prediction might be.						
7.SP.4	Use measures of center and measures of variability for numerical data from random samples to draw informal comparative inferences about two populations. For example, decide whether the words in one chapter of a science book are generally longer or shorter than the words in another chapter of a lower level science book.						
7.SP.5	Understand that the probability of a chance event is a number between 0 and 1 that expresses the likelihood of the event occurring. Larger numbers indicate greater likelihood. A probability near 0 indicates an unlikely event, a probability around 1/2 indicates an event that is neither unlikely nor likely, and a probability near 1 indicates a likely event.						
7.SP.7	Develop a probability model and use it to find probabilities of events. Compare probabilities from a model to observed freque ncies; if the agreement is not good, explain possible sources of the discrepancy.						
7.SP.7a	+ Develop a uniform probability model by assigning equal probability to all outcomes, and use the model to determine probabilities of events. For example, if a student is selected at random from a class, find the probability that jane will be selected and the probability that a girl will be selected.						
7.SP.7b	Develop a probability model (which may not be uniform) by observing frequencies in data generated from a chance process. For example, find the approximate probability that a spinning penny will land heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny appear to be equally likely based on the observed frequencies?						
7.SP.8a	Understand that, just as with simple events, the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs.						
7.SP.8b	Represent sample spaces for compound events using methods such as organized lists, tables and tree diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the outcomes in the sample space which compose the event.						
8.SP.1	Construct and interpret scatter plots for bivariate measurement data to investigate patterns of association between two quantities. Describe patterns such as clustering, outliers, positive or negative association, linear association, and nonlinear association.						
8.SP.2	Know that straight lines are widely used to model relationships between two quantitative variables. For scatter plots that suggest a linear association, informally fit a straight line, and informally assess the model fit by judging the closeness of the data points to the line.						
8.SP.3	+ Use the equation of a linear model to solve problems in the context of bivariate measurement data, interpreting the slope and intercept. For example, in a linear model for a biology experiment, interpret a slope of 1.5 cm/hr as meaning that an additional hour of sunlight each day is associated with an additional 1.5 cm in mature plant height.						
8.SP.4	+ Understand that patterns of association can also be seen in bivariate categorical data by displaying frequencies and relative frequencies in a two-way table. Construct and interpret a two-way table summarizing data on two categorical variables collected from the same subjects. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. For example, collect data from students in your class on whether or not they like to cook and whether they participate actively in a sport. Is there evidence that those who like to cook also tend to play sports?						

Ratios & Proportional Relationships 6.RP.3 Use ratio and rate reasoning to solve real-world and mathematical problems, e.g., by reasoning about tables of equivalent ratios, tape diagrams, double number line diagrams, or equations. 6.RP.3a Make tables of equivalent ratios relating quantities with whole-number measurements, find missing values in the tables, and plot the pairs of values on the coordinate plane. Use tables to compare ratios. 7.RP.1 + Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other quantities measured in like or different units. For example, if a person walks 1/2 mile in each 1/4 hour, compute the unit rate as the complex fraction 1/2/1/4 miles per hour, equivalently 2 miles per hour. П 7.RP.2 + Recognize and represent proportional relationships between quantities. 7.RP.2a 🖶 Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios in a table or graphing on a coordinate plane and observing whether the graph is a straight line through the origin.



 7.RP.2c + Represent proportional relationships by equations. For example, if total cost is proportional to the number n of constant price p, the relationship between the total cost and the number of items can be expressed as t = pn. 7.RP.2d Explain what a point (x, y) on the graph of a proportional relationship means in terms of the situation, with special at 0) and (1, r) where r is the unit rate. 7.RP.3 Use proportional relationships to solve multistep ratio and percent problems. Examples: simple interest, tax, marl gratuities and commissions, fees, percent increase and decrease, percent error. 6.NS.5 Understand that positive and negative numbers are used together to describe quantities having opposite direction temperature above/headin above/headine set effective charge negative numbers to represent quantities in real-world context, explaining the meaning of 0 in each situation. 6.NS.6 Understand a rational numbers as a point on the number line. Extend number line diagrams and coordinate axes fa grades to represent points on the line and in the plane with negative number coordinates. 6.NS.6 Recognice opposite signs of numbers is indicating locations in quadrants of the coordinate plane; recognize that opposite of a number is the number lister (e.g., -(-3) = 3, and that 0 is its own opposite. 6.NS.6 Find and position integers and other rational numbers. 6.NS.7 Understand ordering and abolute value of rational numbers. 6.NS.7 Winderstand ordering and abolute value of rational numbers. 6.NS.7 Understand ordering and abolute value of rational numbers in real-world contexts. For example, write the fact that -39 c is warmer than -79 c. 6.NS.7 Understand the absolute value of rational numbers is a slocated to the right of -7 on a number line diagram; find and positive or negative quantity in a real-world dumers. 6.NS.7 + Write, interpret, and explain submert as	lity (unit rate) in tables, graphs, equations, diagrams, and verbal descriptions of proportional	7.RP.2b	
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 6.NS.7b * Write, interpret, and explain statements of order for rational numbers in real-world contexts. For example, write the fact that -3° c is warmer than -7° c. 6.NS.7c Understand the absolute value of a rational number as its distance from 0 on the number line; interpret absolute valu positive or negative quantity in a real-world situation. For example, for an account balance of -30 dollars, write -30 size of the debt in dollars. 6.NS.7d bitsinguish comparisons of absolute value from statements about order. For example, recognize that an account by dollars represents a debt greater than 30 dollars. 6.NS.8 Solve real-world and mathematical problems by graphing points in all four quadrants of the coordinate plane. Incl and absolute value to find distances between points with the same first coordinate or the same second coordinate and absolute value to find distances between points with the same first coordinate or the same second coordinate and absolute value to find distances between points with the same first coordinate or the same second coordinate diagram, and estimate the value of expressions (e.g., π 2). For example, by truncating the decimal expansion of V2 between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations. 8.F.3 Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of fur linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear beccut the points (1,1), (2,4) and (3,9), which are not on a straight line. 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initiaf rom a description of a relationship or from two (x, y) values, including reading these from a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table<	t -3 is located to the right of -7 on a number line oriented from left to right.	0.NS.7d	
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 6.NS.7d 6.NS.7d Distinguish comparisons of absolute value from statements about order. For example, recognize that an account I dollars represents a debt greater than 30 dollars. 6.NS.8 6.NS.8 Solve real-world and mathematical problems by graphing points in all four quadrants of the coordinate plane. Incl and absolute value to find distances between points with the same first coordinate or the same second coordinate Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide ra Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approxim diagram, and estimate the value of expressions (e.g., π 2). For example, by truncating the decimal expansion of V2 between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations. 8.F.3 Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of fur linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear becaute the points (1,1), (2,4) and (3,9), which are not on a straight line. 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table 8.F.5 	rational number as its distance from 0 on the number line; interpret absolute value as magnitude for a al-world situation. For example, for an account balance of –30 dollars, write –30 = 30 to describe the	6.NS.7c	
 b.N.3.74 Postinguist comparisons of absolute value norm statements about order. For example, recognize that an account redollars represents a debt greater than 30 dollars. 6.NS.8 Solve real-world and mathematical problems by graphing points in all four quadrants of the coordinate plane. Incl and absolute value to find distances between points with the same first coordinate or the same second coordinate of Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide ra Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximitidiagram, and estimate the value of expressions (e.g., π 2). For example, by truncating the decimal expansion of V2 between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations. 8.F.3 Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of fur linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear bec the points (1,1), (2,4) and (3,9), which are not on a straight line. 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial rom a description of a relationship or from two (x, y) values, including reading these from a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table 8.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., w	ite value from statements about order. For example, recognize that an account balance loss than 20	ENE 7d	
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 8.NS.2 Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approxidiagram, and estimate the value of expressions (e.g., π 2). For example, by truncating the decimal expansion of <i>V</i> between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations. 8.F.3 Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of fur linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear become the points (1,1), (2,4) and (3,9), which are not on a straight line. 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial role of a relationship or from two (x, y) values, including reading these from a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table 8.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship	andings of multiplication and division and of fractions to multiply and divide rational numb ers.	7.NS.2	
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 8.F.3 Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of fur linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear bec the points (1,1), (2,4) and (3,9), which are not on a straight line. 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial routing reading these from a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table 8.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functional relationship between two quantities by analyzing a graph (e.g., where the functio	Functions		
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 8.F.4 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table 8.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the fu 	= s2 giving the area of a square as a function of its side length is not linear because its graph contains ich are not on a straight line.	0.1.5	
 cnange and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table B.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the fu 	ear relationship between two quantities. Determine the rate of change and initial value of the function o or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of	8.F.4	
decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been d	function in terms of the situation it models, and in terms of its graph or a table of values. al relationship between two quantities by analyzing a graph (e.g., where the function is increasing or etch a graph that exhibits the qualitative features of a function that has been described verbally.	8.F.5	

This IISP contains information obtained from the source documents listed below.

TABE Test for Adult Assessment: Blue Prints

https://tabetest.com/resources-2/testing-information/blue-prints/

TABE Test for Adult Assessment: Crosswalks

https://tabetest.com /PDFs/TABE_11_12_Skills_Crosswalks_Mathematics.pdf

TABE Test for Adult Assessment: TABE 11/12 Individual Profile Report https://tabe.drcedirect.com/default.aspx?leapp=Reports&leview=DynamicStudentReports

Pimentel, Susan. "College and Career Readiness Standards for Adult Education." Office of Career, Technical, and Adult Education, U.S. Department of Education, 2013, lincs.ed.gov/publications/pdf/CCRStandardsAdultEd.pdf.



STUDENT:			I.	D.:					
TEACHER:	COURSE:		DAT	E:					
CURRENT TESTING INFORMATION:									
Test Dat Current Test Leve Current Test Forr NRS Level & Scale Scor	Test Date: TABE Level: A Current Test Level: D A CCR Level: E (High School) Current Test Form: 11 12 GED Track Grade Level Correlation: 9-12 NRS Level & Scale Score: 4 (537-595) 5 (596-656) 6 (657-800)								
DOMAIN: Geometry (15%) SCORED PROFICIENCY: Non-Proficiency CATEGORIES: Geometry: Congruence (G.CO); Geometry: Partial Proficiency Similarity, Right Triangles, & Trigonometry Proficiency (G.SRT); Geometry: Geometry: Modeling with Dimension (G.GMD); Geometry: Modeling with Geometry (G.MG) # Questions: 5									
CCRS Category	TABE Category	TARE Skill	Emnhacie	Aligned	Mastery Date				
Congruence	Understand transformations between figures	Explore the effects of simple series of transformations on parts of figures (e.g., lines, points, angles, parallel lines, etc.) on and off the coordinate plane	Low	G.CO.1	Date				
Similarity, Right Triangles, & Trigonometry	Prove theorems involving similarity	Use the Pythagorean theorem to solve problems involving right triangles in two and three dimensions Explore the effects of simple series of transformations on parts of figures (e.g., lines, points, angles, parallel lines, etc.) on and off the coordinate plane Use Pythagorean theorem to solve problems involving rt. triangles in 2- & 3- dimensions, including those in rt. rect- angular prisms, triangular prisms, & pyramids Prove and apply theorems involving similarity	- Medium	G.SRT.5					
ingonomed y	Use and evaluate congruence	Explore properties of similar figures and transformations that produce similar figures Explore and create algebraic proofs of simple geometric theorems using coordinates Create and use ratios to find missing side lengths and angle measures of similar figures							
	Explain volume formulas & use to solve problems.	Solve problems involving surface areas and volumes of right rectangular prisms							
Measurement & Dimension	Calculate and interpret volume	Use the formulas for the area and circumference of circles to solve problems involving volumes of cylinders Use the formulas for the area and circumference of circles to solve problems involving volumes of cylinders & cones Investigate and explain volume formulas through informal arguments of circles cylinders, pyramids and cones	High	G.GMD.3					
Modeling with	Find area, volume,	Solve problems involving areas of two-dimensional figures, including modeling problems involving concepts of density based on area	Medium	G.MG 2					
Geometry	figures	Solve problems involving surface areas and volumes of three-dimensional figures, including modeling problems involving concepts of density based on volume	Weddin	0.1010.2					



INDIVIDUALIZED INSTRUCTIONAL STUDENT PLAN

ABE Mathematics: TABE Level A

DOMAIN: Nu	DOMAIN: Numbers & Quantity (13%) SCORED PROFICIENC			CY: 🗌 Non-Proficiency		
CATEGORY: Nu (No # Questions: 4	mbers & Quantity: Q.RN), Numbers & Q	The Real Number System uantity: Quantity (NQ.Q)	⊔ Pa □ Pr	oficiency	ency	
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
The Real Number System	Evaluate radicals & rational exponents	Approximate the location of an irrational number on a number line Explain why the sums or products of rational and irrational numbers are either rational or irrational Identify whether a number is rational or irrational Simplify expressions involving integer exponents Simplify expressions involving operations with rational numbers Use properties of exponents to rewrite expressions involving radicals and rational exponents	Medium	NQ.RN.2		
	Interpret data plots	Determine appropriate scales and origins in graphs and data displays	High			
	Apply properties of operations:	Explore addition of rational and irrational numbers Explore addition and multiplication of rational and irrational numbers		NQ.Q.1		
Quantities	+ ■ × ÷ Create equations & inequalities	Convert between measurement units appropriately while solving problems Define appropriate quantities and parameters when solving problems using descriptive modeling				
	Understand data distribution	Choose appropriate levels of accuracy for measurement limitations in given situations	Low	NQ.Q.3		

DOMAIN: Statistics & Probability (16%) SCORED PROFICIEN CATEGORY: Statistics & Probability: Interpreting Categorical & Quantitative Data (S.ID) # Questions: 6				ICY: INON-Proficiency Partial Proficiency Proficiency		
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
		Create multiple representations of data sets and describe key features (e.g., number of observations, patterns, overall shape, etc.)	Medium	S.ID.1		
	Understand data distribution	 Determine appropriate statistics to compare centers and spreads of data distributions (based on the shapes) Interpret differences in the shapes, centers, and spreads of data cats in context. 				
		Create multiple representations of data sets and use them to describe comparative inferences about the centers, spreads, and overall shapes	Wedium	3.0.5		
Interpreting Categorical & Quantitative Data	Interpret two-way table based on bivariate data	Use information presented in two-way tables to describe associations between variables and to solve problems involving relative frequencies	Medium	S.ID.5		
	Interpret linear &	Use scatter plots and equations of linear models to draw basic conclusions about data	- Medium S.ID.7			
	equations,	Develop equations of linear models and use them to solve problems		S.ID.7		
	expressions, & functions	Develop equations of linear models, interpret the slope and intercepts in context, and analyze the fit of the model to the data.				
	Distinguish b/t correlation & causation	Distinguish between correlation and causation	Low	S.ID.9		



INDIVIDUALIZED INSTRUCTIONAL STUDENT PLAN

ABE Mathematics: TABE Level A

DOMAIN: Alg CATEGORY: Alg Alg	gebra (28%) ebra: Seeing Structu ebra: Arithmetic w/	ICY: ONON-Proficiency Partial Proficiency				
Expressions (A.APR); Algebra: Creating Equations (A.CED); Algebra: Reasoning w/ Equations & Inequalities (A.REI) # Questions: 10						
CCRS Category	TABE Category	TABE Skill	Emphasis	Aligned CCRS	Mastery Date	
		Identify parts of expressions (e.g., terms, coefficients,	Low	A SSE 15		
Seeing Structure in Expressions	Solve & evaluate linear & quadratic equation in two variables	variables, etc.) • Use the structure of an expression to identify ways to rewrite it. For example, see $x4 - y4$ as $(x2)2 - (y2)2$, thus recognizing it as a difference of squares that can be factored as $(x2 - y2)(x2 + y2)$.	Low	A.SSE.2		
		Find the minimum or maximum and zeros of a quadratic equation and explain the meaning in context	Low	A.SSE.3a		
	Apply properties of	Add and subtract polynomials of degree 3 or less		A.APR.1		
Arithmetic with Polynomials &	operations:	Add, subtract, multiply, and divide polynomials of degree 3 or less	Medium			
Rational Expressions	+ = ×÷	Add, subtract, multiply, & divide polynomials of any degree				
		✤Create equations & inequalities in 1 variable & use to solve problems. Incl. equations arising from linear & quadratic functions, & simple rational & exponential fcns.	Low	A.CED.1		
	Create equations & inequalities	Identify an equation that shows a relationship between two variables given in a table or graph		A.CED.2		
		Create equations that show a relationship between two variables given in a table or graph	Low			
Creating Equations		Create quadratic equations that represent given real- world situations				
		Create systems of equations that represent given real- world situations		A.CED.3		
		Create systems of inequalities that represent given real- world situations	Medium			
		Identify systems of inequalities that represent given real- world situations				
		➡Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method.	Low	A.REI.1		
	Solve & evaluate linear & quadratic	Use properties of operations, such as distributive property and combining like terms, to find solutions of linear equations	Low	A.REI.3		
	variable	➡Solve quadratic equations in one variable.	Low	A.REI.4		
Reasoning with		Factor/solve quadratic equations w/ lead coefficients > 1		-		
Equations &		Solve quadratic equations by factoring				
Inequalities		Solve quadratic equations using various methods (e.g., taking square roots, factoring, completing the square, quadratic formula, etc.)	Low	A.REI.4b		
		Determine whether a point (x, y) is a solution to a given system of equations	Medium A.REI.6			
	Solve & evaluate systems of	Solve a system of equations by graphing the equations and finding the point of intersection				
	equations	Graph systems of inequalities				
		Determine whether a point (x, y) is in the Solution set of a given system of inequalities	High	A.REI.10		



DOMAIN:	Functions (28%) SCORED PROFICIENCY: On-Proficiency							
CATEGORY:	Functions: Interpreting Functions (F.IF);							
Functions: Building Functions (F.BF);								
	Functions: Linear, Quadratic, & Exponential							
# Questions:	Models (F.LE)							
	10							
			Aligned	Mastery				
CCRS Category	TABE Category	TABE Skill	Emphasis	CCRS	Date			
		Find avg. rate of change of fcn. over given interval	Medium	F.IF.6				
		Write functions in different but equivalent forms and						
		explain what each form "reveals" (e.g., factoring a						
		quadratic function to reveal the zeros)						
		Compare properties of two functions (linear,	Law					
	Eveluete functione	exponential) represented in the same way	Low	F.IF.9				
		Compare properties of two functions (linear						
	relationships	quadratic, piecewise linear, absolute value,						
	. enderennipe	exponential) represented in different ways						
		Understand that a function from one set (called						
		domain) to another set (called range) assigns to each		F.IF.1				
		range. If <i>f</i> is a function and x is an element of its						
		domain, then $f(x)$ denotes output of f corresponding						
Interpreting Functions		to input x. Graph of f is graph of equation $y = f(x)$.						
		Evaluate a linear function at a given value						
		Evaluate linear, quadratic, and exponential functions	Medium	F.IF.2				
		Use function notation and interpret statements that	Wieddini					
	Interpret linear &	use function notation in context						
	equations	Find the rate of change of a linear function						
	expressions, &	Find the average rate of change of a function over a	Medium	F.IF.6				
	functions	given interval						
		forms	High	F.IF.7a				
		Use properties of exponents to interpret		E IE OL				
		expressions for exponential functions.	LOW	F.IF.80				
		Identify the intercepts of graphs of linear functions						
	Interpret graphs	Identify key characteristics of graphs of functions	Medium	F.IF.4				
	Creata now	(e.g., intercepts, minimum, maximum, etc.)						
	functions	f(x) + k, $f(x + k)$, etc.)?	Low	F.BF.1				
		Write a function that describes a relationship	1.0	E D F 1				
Building Functions		between two quantities.	LUW	F.DF.1				
J J		Explore arithmetic and geometric sequences and						
	Evaluate functions	Write the equation of a linear function represented	Low	F.BF.1a				
	& functional	by a table or a graph						
	relationships	Determine whether graphs of functions are linear,						
		quadratic, or exponential	Low	F.LE.1a				
		Determine whether a given scenario can be						
Linear, Quadratic, &		Describe the meaning of terms of a swetters of						
Exponential Models	Interpret linear &	functions in context						
	equations.		Low F.LE.5					
	expressions, &	Use the equation or graph of a linear function to						
	functions	represent and solve real-world problems						

+ Standard is listed on TABE Level E Crosswalks or on TABE Level M Blue Prints; however, it does NOT appear on the Student Individual Profile Report.



Correlated CCR Anchor/Substandards & Descriptions

	Geometry
G.CO.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on the undefined notions of point, line, distance along a line, and distance around a circular arc.
G.GMD.3	Use volume formulas for cylinders, pyramids, cones, and spheres to solve problems.
G.MG.2	Apply concepts of density based on area and volume in modeling situations (e.g., persons per square mile, BTUs per cubic foot).
G.SRT.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.
	Numbers & Quantity
NQ.Q.1	Use units as a way to understand problems and to guide the solution of multi-step problems; choose and interpret units consistently in formulas; choose and interpret the scale and the origin in graphs and data displays.
NQ.Q.3	Choose a level of accuracy appropriate to limitations on measurement when reporting quantities
NQ.RN.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.
	Statistics & Probability
S.ID.1	Represent data with plots on the real number line (dot plots, histograms, and box plots).
S.ID.3	Interpret differences in shape, center, and spread in the context of the data sets, accounting for possible effects of extreme data points (outliers).
S.ID.5	Summarize categorical data for two categories in two-way frequency tables. Interpret relative frequencies in the context of the data (including joint, marginal, and conditional relative frequencies). Recognize possible associations and trends in the data.
S.ID.7	Interpret the slope (rate of change) and the intercept (constant term) of a linear model in the context of the data.
S.ID.9	Distinguish between correlation and causation.

Algebra

NOTE: Standard appearing in "red" is NOT listed in the CCRS; however, it is identified as tested on the TABE 11/12 Level A Mathematics test. A.APR.1 Understand that polynomials form a system analogous to the integers, namely, they are closed under the operations of addition, subtraction, and multiplication; add, subtract, and multiply polynomials. [Note from panel: Emphasis should be on operations with polynomials.] A.CED.1 🕂 Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and simple rational and exponential functions. A.CED.2 Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales. A.CED.3 Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods. + Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the A.REI.1 assumption that the original equation has a solution. Construct a viable argument to justify a solution method. A.REI.3 Solve linear equations and inequalities in one variable, including equations with coefficients represented by letters. A.REI.4 Solve guadratic equations in one variable. A.REI.6 Solve systems of linear equations exactly and approximately (e.g., with graphs), focusing on pairs of linear equations in two variables. A.REI.4b Solve quadratic equations by inspection (e.g., for $x^2 = 49$), taking square roots, completing the square, the quadratic formula and factoring, as appropriate to the initial form of the equation. Recognize when the quadratic formula gives complex solutions and write them as $a \pm bi$ for real numbers a and b. A.REI.10 Understand that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane, often forming a curve (which could be a line). A.SSE.1a ✤ Interpret parts of an expression, such as terms, factors, and coefficients. 🖶 Use the structure of an expression to identify ways to rewrite it. For example, see x 4 - y 4 as (x 2) 2 - (y2) 2 , thus recognizing it as a A.SSE.2 difference of squares that can be factored as (x 2 - y 2)(x 2 + y 2). Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression. A.SSE.3 A.SSE.3a Factor a quadratic expression to reveal the zeros of the function it defines

Functions

NOTE:	Standard appearing in "red" is NOT listed in the CCRS; however, it is identified as tested on the TABE 11/12 Level A Mathematics test.
F.BF.1	Write a function that describes a relationship between two quantities.
F.BF.1a	Determine an explicit expression, a recursive process, or steps for calculation from a context.
F.IF.2	Use function notation, evaluate functions for inputs in their domains, & interpret statements that use function notation in terms of a
	context.

F.IF.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. For example, for a quadratic function modeling a projectile in motion, interpret the intercepts and the vertex of the function in the context of the problem. [Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior: and periodicity 1
F.IF.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph. [NOTE: See conceptual modeling categories.]
F.IF.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases.
F.IF.7a	Limits the graphic requirement to only linear and quadratic.
F.IF.9	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.
F.LE.1	Distinguish between situations that can be modeled with linear functions and with exponential functions.
F.LE.1a	Prove that linear functions grow by equal differences over equal intervals, and that exponential functions grow by equal factors over equal intervals.
F.LE.5	Interpret the parameters in a linear or exponential function in terms of a context.

This IISP contains information obtained from the source documents listed below.

TABE Test for Adult Assessment: Blue Prints https://tabetest.com/resources-2/testing-information/blue-prints/

TABE Test for Adult Assessment: Crosswalks https://tabetest.com /PDFs/TABE_11_12_Skills_Crosswalks_Mathematics.pdf

TABE Test for Adult Assessment: TABE 11/12 Individual Profile Report https://tabe.drcedirect.com/default.aspx?leapp=Reports&leview=DynamicStudentReports

Pimentel, Susan. "College and Career Readiness Standards for Adult Education." Office of Career, Technical, and Adult Education, U.S. Department of Education, 2013, lincs.ed.gov/publications/pdf/CCRStandardsAdultEd.pdf.

Appendix C

Breakdown of the TABE 11/12 Tests

TABE 11/12 Reading						
Test Level:	E		M D			Α
Maximum Allowable Testing Time:	100 Minu	ites (5	0 Min. for F	Part A & 50	Min. f	or Part B)
# Passages:	. 7 8			9		
# Items:			40 Qu	estions		
Average Word Count:	301-422	4	63-485	497-56	2	596-676
Average Lexile	718L-780L	83	0L-846L	1081L-11	26L	1055L-1149L
Average Time Per Passage:	14 Min.		12 Min.			11 Min.
Average Time Per Question:			2.5 M	inutes		
	TABE 11/1	. <mark>2 L</mark> a	nguage			
Test Level:	E		Μ	D		Α
Maximum Allowable Testing Time:	Maximum Allowable 55 Minutes					
# Items:	35 Questions					
Average Word Count:	301-422	4	63-485	497-562		596-676
Average Lexile	718L-780L	L 830L-846L 108		1081L-11	26L	1055L-1149L
Average Time Per Question:			1.5 M	inutes		•
	TABE 11/12 Mathematics					
Test Level:	E		Μ	D		Α
Maximum Allowable Testing Time:	65 Minutes for Both Parts: A & B	55 fo 10 fo	Minutes r Part A Minutes r Part B	35 Minu for Part 30 Minu for Part	tes A tes B	30 Minutes for Part A 35 Minutes for Part B
# Items: 40 Questions						

Websites

FLDOE Adult Education Program Course Standards. http://www.fldoe.org/workforce/dwdframe/ad_frame.asp

Technical Assistance Paper: Adult General Education Instructional Hours Reporting Procedures. http://www.fldoe.org/core/fileparse.php/5398/urlt/TAP-AGE-InstHrsRptg.pdf

Tests of Adult Basic Education. TABE 11 & 12 Information and Resources. <u>https://tabetest.com/#</u>

College and Career Readiness Standards for Adult Education. https://www.vrae.org/images/customer-files/ccrstandardsadulted.pdf

Florida IPDAE. http://www.floridaipdae.org/

Acknowledgements

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- TABE Test for Adult Assessment: Blue Prints https://tabetest.com/resources-2/testing-information/blue-prints/
- TABE Test for Adult Assessment: Crosswalks https://tabetest.com /PDFs/TABE_11_12_Skills_Crosswalks_Mathematics.pdf
- TABE Test for Adult Assessment: TABE 11/12 Individual Profile Report https://tabe.drcedirect.com/default.aspx?leapp=Reports&leview=DynamicStude ntReports

Pimentel, Susan. "College and Career Readiness Standards for Adult Education." *Office of Career, Technical, and Adult Education,* U.S. Department of Education, 2013, lincs.ed.gov/publications/pdf/CCRStandardsAdultEd.pdf.